



# Open check dams and large wood: head losses and release conditions

Guillaume Piton<sup>1</sup>, Toshiyuki Horiguchi<sup>2</sup>, Lise Marchal<sup>1,3</sup>, and Stéphane Lambert<sup>1</sup>

<sup>1</sup>Univ. Grenoble Alpes, INRAE, ETNA, 3800 Grenoble, France

<sup>2</sup>National Defense Academy, Yokosuka, 239-8686, Kanagawa, Japan

<sup>3</sup>AgroParisTech, Paris Institute of Technology for Life, Food and Environmental Sciences, 75231 Paris, France

**Correspondence:** Guillaume Piton (guillaume.piton@inrae.fr)

Received: 11 May 2020 – Discussion started: 2 June 2020

Revised: 20 October 2020 – Accepted: 24 October 2020 – Published: 4 December 2020

**Abstract.** Open check dams are strategic structures to control sediment and large-wood transport during extreme flood events in steep streams and piedmont rivers. Large wood (LW) tends to accumulate at such structures, obstruct their openings and increase energy head losses, thus increasing flow levels. The extent and variability to which the stage–discharge relationship of a check dam is modified by LW presence has so far not been clear. In addition, sufficiently high flows may trigger a sudden release of the trapped LW with eventual dramatic consequences downstream. This paper provides experimental quantification of LW-related energy head loss and simple ways to compute the related increase in water depth at dams of various shapes: trapezoidal, slit, slot and sabo (i.e. made of piles), with consideration of the flow capacity through their open bodies and atop their spillways. In addition, it was observed that LW is often released over the structure when the overflowing depth, i.e. total depth minus spillway elevation, is about 3–5 times the mean log diameter. Two regimes of LW accumulations were observed. Dams with low permeability generate low velocity upstream, and LW then accumulates as floating carpets, i.e. as a single floating layer. Conversely, dams with high permeability maintain high velocities immediately upstream of the dams and LW tends to accumulate in dense complex 3D patterns. This is because the drag forces are stronger than the buoyancy, allowing the logs to be sucked below the flow surface. In such cases, LW releases occur for higher overflowing depth and the LW-related head losses are higher. A new dimensionless number, namely the buoyancy-to-drag-force ratio, can be used to compute whether (or not) flows stay in the floating-carpet domain where buoyancy prevails over drag force.

## 1 Introduction

Open check dams, also called debris basins (Dodge, 1948); sabo dams (Ikeya, 1989; Mizuyama, 2008); torrential barriers (Rudolf-Miklau and Suda, 2013); or debris racks (Schmocker and Hager, 2013) are key structures in the mitigation of hazards related to solid transport, i.e. sediment and large wood (Piton and Recking, 2016a, b). Large wood, hereafter LW, is defined as logs thicker than 0.1 m and longer than 1 m (Braudrick et al., 1997). Extreme flood events occurring in forested catchments involve not only water and sediment but also LW (Ruiz-Villanueva et al., 2019). The same authors (Ruiz-Villanueva et al., 2019) demonstrated that LW may be transported in several regimes: un-congested (single logs not touching each other), congested (logs touching each other moving in groups), semi-congested (mix of un-congested and congested) or hyper-congested (many logs touching each other, accumulating in several layers and spanning the entire channel width). Although extreme flood events are first related to large amounts of water, LW regularly play a significant role in flood hazards by clogging bridges and affecting hydraulic structures, thus aggravating flooding and sediment deposition (Mazzorana and Fuchs, 2010; Mazzorana et al., 2009; Ruiz-Villanueva et al., 2014b; Schmocker and Weitbrecht, 2013; Chen et al., 2020). In rivers equipped with dams or bridges that are prone to clogging by LW, it is required to either (i) adapt these structures to prevent clogging or (ii) trap LW gathered during extreme floods before it reaches the sensitive structures. Open check dams are relevant options to achieve this objective in torrents and piedmont rivers (Comiti et al., 2016; Wohl et al., 2016, 2019).

Open check dams aim to trap all or part of the sediment and/or LW from floods or debris flows (Hübl and Fiebigler,

2005). Scientific works that aim to better understand how sediment is trapped in open check dams are numerous (Armanini et al., 1991; Dodge, 1948; Ikeya, 1985; Reneuve, 1955; Zollinger, 1985); see the review of Piton and Recking (2016a). One key conclusion has been that an increased water depth at the dam induces a low-velocity area in the backwater behind the dam where bedload is usually trapped. Computing the stage–discharge relationship is thus a critical design step to assess the sediment-trapping efficacy.

Studies on interactions between LW and open check dams started more recently, in the late 1980s in Japan (Ishikawa and Mizuyama, 1988; Ishikawa, 1994; Kasai et al., 1996; SABO Division, 2000; Uchiogi et al., 1996) and later in the 2000s in Europe (Bezzola et al., 2004; D’Agostino et al., 2000; Lange and Bezzola, 2006). These works have mostly focused on trapping efficacy and on defining relevant opening sizes and shapes to achieve the desired function. Numerical modelling of LW freely floating or interacting with structures emerged in the 2010s and is subject to constant improvement (Horiguchi et al., 2015; Kimura and Kitazono, 2019; Ruiz-Villanueva et al., 2014a; Shrestha et al., 2012).

Field observations complement the laboratory and numerical studies: Bezzola et al. (2004) in particular reported examples of open check dams malfunctioning in the presence of LW. They proposed options to adapt existing works, notably by adding grills upstream of slit and slot dams. Shima et al. (2015, 2016) also reported effects of LW presence in the functioning of open check dams in Japan. The topic of interactions between LW and open check dams was reviewed by Piton and Recking (2016b). Two scientific questions in particular remained insufficiently answered: (i) how much LW does it take to increase energy head loss at a structure through the obstruction of the flow section? And (ii) which conditions drive the sudden downstream release of LW accumulated by the structure when the structure is overtopped, thus dramatically aggravating flood-related and structural hazards?

The first question has been addressed for reservoir dams: for ogee crest spillways with piles by Hartlieb (2012, 2017), Schmocker (2017) and Pfister et al. (2020) and for piano-key weirs (PK weirs) by Pfister et al. (2013b). It was also recently thoroughly covered by the hydraulic research team of ETH Zürich for rack structures made of poles (Schalko, 2020; Schalko et al., 2018, 2019a, b; Schmocker and Hager, 2013; Schmocker and Weitbrecht, 2013; Schmocker et al., 2014). All these works describe comprehensively how LW accumulates at barriers. In addition, the authors proposed methods to compute the head losses related to LW accumulating at racks. Despite the high randomness of the processes, it was demonstrated that approaching flow conditions (e.g. Froude number, flow depth, water discharge) and features of the LW mixtures (LW volume, LW diameter, presence of fine material as branches and leaves) drive LW-related head losses.

The second question, i.e. which conditions drive LW overtopping and releases over a structure, has only been ad-

ressed for reservoir dam spillways: Pfister et al. (2013a) for PK weirs, as well as Furlan et al. (2018, 2019, 2020), Furlan (2019) and Pfister et al. (2020) for ogee crests with piles. These studies concluded that the ratio of flow depth to LW diameter was key to determining whether LW stays in the reservoir or overtops the dam. The ratio of LW length to opening width is also a contributing factor as seen in sabo and slit dam experiments (Ishikawa and Mizuyama, 1988; Shrestha et al., 2012; Horiguchi et al., 2015; Chen et al., 2020). Recent experiments by Rossi and Armanini (2019), Meninno et al. (2019), and Chen et al. (2020) also explored the trapping efficacy of slits dams, without and eventually with upstream grills as suggested by Bezzola et al. (2004). Experiments on racks and slit dams did not address the question of LW overtopping because the modelled structures were not overtopped (D’Agostino et al., 2000; Schmocker and Hager, 2013; Schmocker and Weitbrecht, 2013; Schmocker et al., 2014; Schalko et al., 2018, 2019a, b; Rossi and Armanini, 2019; Meninno et al., 2019; Chen et al., 2020). The authors merely reported high trapping efficacy (> 90 %) for the tested racks and that trapping efficacy varies with slit width and the interval between upstream grill bars. Consequently, it is not clear which conditions drive the release of LW above open structures such as sabo, slit, slot or trapezoidal dams. One could hypothesize that results from dam reservoir spillways might be transferable to open check dams. However flow conditions upstream of open check dams, e.g. a higher Froude number or the effect of openings, may partially modify the jamming and release processes.

Since water depth above the structure seems to be a key driver of LW release (and also of sediment-trapping efficacy although it is not studied in this paper), this paper seeks first to provide a way to compute water depth at structures in the presence of LW and secondly to study the conditions driving the release of the trapped elements. This paper explores both questions experimentally. It is organized into four sections and a conclusion: first, the hydraulic computation of water stage–discharge relationships is presented; second, the experimental apparatus used is described; and the results are, third, presented and, fourth, finally discussed. Throughout this paper, the term “overflowing” is used when speaking about the water passing over the dam and the term “overtopping” when referring to the passage of LW over the dam.

## 2 Computing open-check-dam discharge capacity

Stage–discharge relationships were used according to the state of the art (Piton and Recking, 2016a, b) with the addition of a dimensionless coefficient called  $\beta_i$  (–) introduced to account for the LW-related energy head loss. The relationship between water depth over the slit or slot bottom with LW, noted  $h$  (m); water depth without LW, noted  $h_0$  (m); LW-related head loss, noted  $\Delta h$  (m); and  $\beta_i$  is as follows (see notations in Fig. 1):

$$\begin{aligned}
 h &= h_0 + \Delta h = h_0 \left( 1 + \frac{\Delta h}{h_0} \right) \\
 \Leftrightarrow h_0 &= \frac{h}{\left( 1 + \frac{\Delta h}{h_0} \right)} \underset{h \approx H}{\approx} \frac{\Delta h}{h_0} = \beta_i, \quad (1)
 \end{aligned}$$

with  $H = h + V^2/2g = h(1 + Fr^2/2)$  being the flow energy head (m),  $V$  the flow velocity ( $\text{m s}^{-1}$ ),  $g$  the gravitational acceleration ( $9.81 \text{ m s}^{-2}$ ) and  $Fr = V/(gh)^{0.5}$  the Froude number (-). Recall that the depth  $h$  should be replaced by energy head  $H$  in stage–discharge relationships wherever the approximation  $h \approx H$  is wrong (Piton et al., 2016), e.g. for  $Fr > 0.3$  if one accepts a 5% difference in the hypothesis  $h \approx H$ . We find this uncertainty reasonable regarding the complexity of flow in mountain rivers. Since all runs performed with LW for the present paper have  $Fr < 0.3$ ,  $h$  is used in the stage–discharge relationships.

For the flow passing through the dams  $Q_1$  ( $\text{m}^3 \text{ s}^{-1}$ ), the Grand Orifice equation was used (Piton and Recking, 2016a):

$$Q_1 = N\mu_1 W_1 \frac{2}{3} \sqrt{2g} \left( \left( \frac{h}{1 + \beta_1} \right)^{1.5} - \left( \frac{h - h_1}{1 + \beta_1} \right)^{1.5} \right), \quad (2)$$

where  $N$  is the number of similar openings (-),  $\mu_1$  is the orifice coefficient (-),  $W_1$  is the opening width (m),  $h_1$  is the opening height (m) and  $\beta_1$  is a coefficient to account for LW-related head losses on discharge *passing through the dam* (-). If flow depth  $h$  is lower than the orifice height  $h_1$ , the second term is removed and the equation is a simple slit flow equation.

The spillway capacity  $Q_2$  ( $\text{m}^3 \text{ s}^{-1}$ ) is computed using a trapezoid weir equation (Deymier et al., 1995, p. 70):

$$Q_2 = \mu_2 \sqrt{2g} \left( W_2 \left( \frac{h - z_2}{1 + \beta_2} \right)^{1.5} + \frac{0.8}{\tan \Phi} \left( \frac{h - z_2}{1 + \beta_2} \right)^{2.5} \right), \quad (3)$$

where  $\mu_2$  is the weir coefficient (-),  $W_2$  is the spillway horizontal width (m),  $z_2$  is the spillway level (m),  $\beta_2$  is another coefficient to account for LW-related head losses *in flows overflowing the dam* (-), and  $\Phi$  is the angle between the horizontal and the wing crest ( $45^\circ$  in our experiments).

In the absence of LW, the coefficients  $\beta_i$  are set to zero, and the formula returns to its classical formulation. Using  $\beta_i = 0.6$  means for example that compared to pure-water flow, the flow depth will increase by 60% to convey the same water discharge through the LW accumulated over the same dam. Although it is quite similar, its reading and interpretation is more straightforward than providing a direct estimation of  $\Delta h$  (which is dimensional and discharge-specific) or modifying the discharge capacity as in e.g. USBR (2013) for reservoir dam spillways. The dam total capacity  $Q$  ( $\text{m}^3 \text{ s}^{-1}$ ) is computed by summing Eqs. (2) and (3).

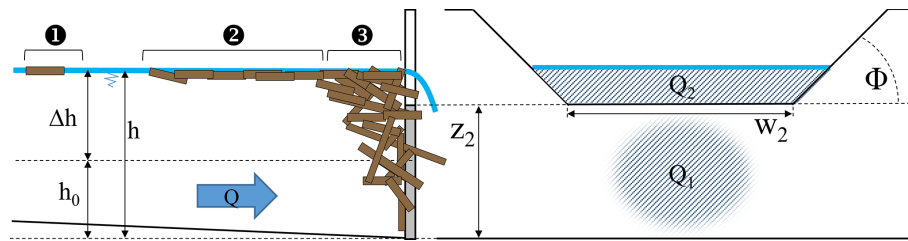
$$\begin{aligned}
 Q &= Q_1 + Q_2 \\
 &= \mu_1 W_1 \frac{2}{3} \sqrt{2g} \left( \left( \frac{h}{1 + \beta_1} \right)^{1.5} - \left( \frac{h - h_1}{1 + \beta_1} \right)^{1.5} \right) \\
 &\quad + \mu_2 \sqrt{2g} \left( W_2 \left( \frac{h - z_2}{1 + \beta_2} \right)^{1.5} + \frac{0.8}{\tan \Phi} \left( \frac{h - z_2}{1 + \beta_2} \right)^{2.5} \right) \quad (4)
 \end{aligned}$$

It is worth noting that the Grand Orifice equation is used to compute discharge through the dam even for slit and sabo dams, i.e. structures that are not equipped with orifices but are rather gap-crested. For the gap-crested dams with slits, we used  $h_1 = z_2$ ; i.e. the orifice height is the same as the slit height. In doing so, the discharge passing through the dam  $Q_1$  (computed with  $\beta_1$ ) is computed separately from the discharge overflowing the structure above the slit top  $Q_2$  (computed with  $\beta_2$ ). This option was selected because the relative energy head losses are greater in flows passing over the structure (i.e. the one passing through the floating jam) than in flows passing through the structure (see Sect. 5.2). In other words, in the presence of LW, the energy head loss is higher in the discharge over the weir than in discharge passing through the slit; i.e.  $\beta_2 > \beta_1$ .

### 3 Material and methods

#### 3.1 Flume and sensors

To provide a field equivalent of our model results, a scale ratio of 1 : 34 is used throughout the paper and is relevant to the case study of the Combe-de-Lancey stream (Piton et al., 2019c; Moldenhauer-Roth et al., 2021). However, the experimental setup was not a downscaled version of any particular site. Any upscaling should be performed using the Froude similitude. The experimental setup is presented in more detail in the research report of Piton et al. (2019b). The flume’s adjustable slope was set to  $0.02 \text{ m m}^{-1}$  for all experiments. This slope is relatively low but is commonly observed in bedload retention basins (Piton et al., 2015, p. 22). This slope is on the order of magnitude of channel slopes in alluvial fan distal reaches, i.e. the slope used for the design of guiding channels that are increasingly used in open check dams (Schwindt et al., 2018; Piton et al., 2019c). In addition, since the open check dams triggered a high backwater rise and subcritical flow regime, the bottom flume slope is of secondary importance: flow conditions are controlled by the open check dam. The flume was 6.0 m long, 0.4 m wide and 0.4 m deep. Our flume modelled a basin 14 m wide (assuming scale ratio of 1 : 34) which is not extremely wide but consistent with many structures observed in the field (Piton et al., 2015, p. 22). The eventual widened basin located upstream of open check dams was thus not modelled. Experiments recently performed on an open check dam with a wide basin demonstrated that LW naturally floats spanning the whole



**Figure 1.** Notation used throughout the paper: (a) side view of LW jamming a barrier and (b) front view of barrier. Water depth without LW and with LW are denoted  $h_0$  and  $h$ , respectively. The difference between  $h$  and  $h_0$  is the head loss  $\Delta h$ . Dam crest is of height  $z_2$ . Logs may be (1) freely flowing, (2) floating in a single layer as a carpet or (3) jamming the barrier with most pieces submerged. The total water discharge  $Q$  is split into  $Q_1$ , the discharge passing through the dam, and  $Q_2$ , the discharge overflowing the dam.

basin width and accumulates in the close vicinity of the open check dam (Moldenhauer-Roth et al., 2021). This was also observed in our relatively narrow flume. We hypothesize that using a wider basin would simply result in LW accumulating more widely rather than longitudinally along the flume. A more complicated basin shape would likely trigger recirculation patterns that might modify the floating-carpet behaviour far from the dams (see e.g. Tamagni et al., 2010). This work clearly focuses on the interaction between LW and the open check dam in the close vicinity of the barrier.

The tested dams were installed at the downstream end of the flume, perpendicular to its bottom. Flow depth was measured at a frequency of 10 Hz by an ultrasonic sensor located 0.2 m upstream of the dams (accuracy  $\pm 1$  mm). The water depth measured was thus representative of the flow conditions in the direct vicinity of the open check dam. The mean value  $\pm$  standard deviation of the Froude number was  $0.04 \pm 0.01$ ,  $0.06 \pm 0.02$ ,  $0.1 \pm 0.02$  and  $0.24 \pm 0.08$  for the closed, slit, slot and sabo dam, respectively (see Sect. 3.2 for dams names and features). The additional head loss related to LW accumulating further upstream of the ultrasonic sensors was not studied; although it would be important to take it into account for the design of side embankments (see the approach proposed by Di Risio and Sammarco, 2020, on this point), it would be irrelevant to take it into account for the design of the dam itself.

Water discharge was measured with an electronic flowmeter (accuracy  $\pm 0.01 \text{ L s}^{-1}$ ). It varied in the range  $0\text{--}8.5 \text{ L s}^{-1}$ , i.e. covering a wide range of discharge magnitudes. This peak discharge of  $8.5 \text{ L s}^{-1}$  would then be equivalent to  $54 \text{ m}^3 \text{ s}^{-1}$  (using the scale ratio of 1 : 34), i.e. a discharge much higher than the Combe de Lancy 100-year return period peak discharge of  $35 \text{ m}^3 \text{ s}^{-1}$ . In essence, we intended to test not only project design events (sensu Piton et al., 2019c), corresponding to 100–300-year return period events ( $5.5\text{--}7 \text{ L s}^{-1}$  at model scale) but also safety check events ( $\approx 1000$ -year return period –  $8.5 \text{ L s}^{-1}$  at model scale) to verify the structures' behaviour when experiencing events of a higher magnitude. Water discharge was increased in steps. An automatic system adjusted pump velocities to achieve the targeted discharge. Each water depth or discharge measurement provided

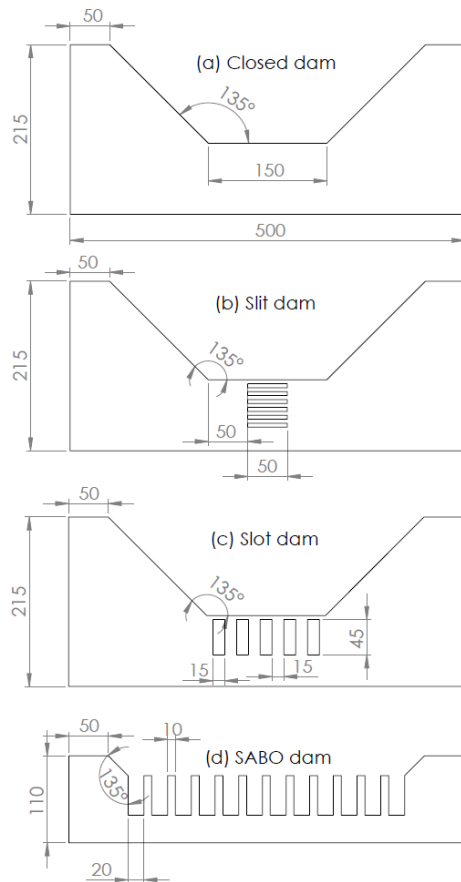
in the following is computed as the mean value of a time step lasting 1–4 min. These averaging time windows started once flow depth stabilized after the transient period related to the change from one discharge step to another and stopped just before the discharge was changed again. Standard deviations of discharge and flow depth were also computed and later used as a proxy for the uncertainty in each measurement. Error bars are displayed in plots wherever uncertainties, computed using quadratic error propagation, were high enough such that the error bars were bigger than dots. LW released during each step, as well as the total LW sample at the end of each run, was weighted on a scale. LW releases were arbitrarily considered “significant” if the mass released during one step was more than 10 % the weight of all LW used in the experiment.

### 3.2 Dams

A selection of the most common check dams encountered in France and Japan were tested (Horiguchi et al., 2015; Piton et al., 2019a): (i) a closed-type dam representing a recently dredged check dam, (ii) slit dams with horizontal grills, (iii) slot dams with 5 openings and (iv) sabo dams with 11 openings would mimic the rack dams very common in Japan. The shapes and sizes of dams tested are provided in Fig. 2. All dams have a crest set at  $z_2 = 50$  mm, and the level datum for depth and energy head computation is taken at the opening bottom or at 50 mm below the crest for the closed dam. Dams were made of transparent Plexiglas plates, 10 mm thick and numerically cut.

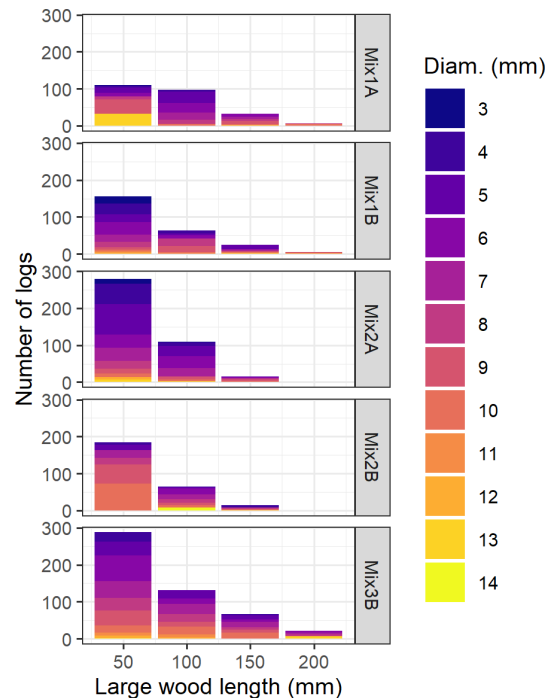
### 3.3 LW mixtures

Five different mixtures of LW, called 1A, 1B, 2A, 2B and 3B, were prepared with fresh *Sorbus aucuparia* stems of various diameters (Figs. 3 and S1–S3 in the Supplement) and of 50, 100, 150 and eventually 200 mm length (Table 1 – equivalent to logs with lengths of 1.6–6.6 m at the scale ratio 1 : 34, i.e. logs not extremely long and thus particularly prone to being released over the dam). The distribution of sizes was arbitrarily decided based on field measurements obtained by the second author in his case study of Horiguchi



**Figure 2.** Dams tested: (a) closed dam, (b) gridded slit dam, (c) slot dam and (d) sabo dam.

et al. (2015). The wood relative density was measured in the range of 0.745–0.83 with an average of 0.77. Mixtures numbered 1 and 2 had a maximum log length of 200 and 150 mm, respectively. Mixtures labelled “A” only consisted of coarse debris, i.e. logs, while mixtures labelled “B” also included fine material, here fresh pine tree needles, that are equivalent to twigs at the real scale (diameter 1–3 cm, length 0.5–1.5 m). The fine-material mass was typically 5%–10% of the cumulated log mass. We did not include a model equivalent of leaves as in Schalko et al. (2018, 2019a). Such material would have percolated through the LW jams and densified it, increasing to some extent head losses (see discussion in Sect. 5.1 on this topic). Mixture 3B was prepared to test the effects of a higher LW supply. It contained 507 logs (against 250 in mixture 1B), had a maximum log length of 200 mm and included fine material. Overall, the solid volumes tested were high but not extreme. At the scale 1 : 34 for instance, they would be equivalent to 30–80 m<sup>3</sup> of solid volume in a reach 13 m wide, which would be 60–400 m<sup>3</sup> of LW jam assuming a compactness coefficient (i.e. total jam volume / solid log volume) from 2 to 5 (Lange and Bezzola, 2006; Schalko et al., 2019a). Such an amount of LW is typi-



**Figure 3.** Number, length and diameter of coarse debris comprising the LW mixtures.

cally found in open check dams after strong flood event (see e.g. data compiled by Piton, 2016, p. 66) and is sufficient to strongly affect open-check-dam functioning (Shima et al., 2015; Tateishi et al., 2020).

### 3.4 Experimental protocol

For each dam, two to three runs were performed in pure-water conditions to check the repeatability of the experiment and to calibrate the orifice and weir coefficients,  $\mu_1$  and  $\mu_2$ , respectively. Three to four runs with each LW mixture were then performed to capture the random variation in LW jam formation with the same discharge steps and total mixture volume, thus resulting in 15 to 20 independent runs with varying mixtures for each dam. This is less than the high number of repetitions required to capture behaviour of single logs at reservoir dam spillways (Furlan et al., 2019, 2020), but we assume it to be sufficient to capture the random variation in the process of large numbers of logs piling up at the dam. This should be validated in later works. In each run the discharge was progressively increased in steps of 0.2–0.5 L s<sup>-1</sup>, starting from 0.5 L s<sup>-1</sup> and going to full overtopping and the release of all floating LW. The mixtures were progressively introduced to the flow at each step. Logs were introduced manually at the upstream end of the flume, by groups of 5–15 logs, in a semi-congested mode (sensu Ruiz-Villanueva et al., 2019). Indeed, D’Agostino et al. (2000) reported that congested LW clusters tend to be laminated by the hydraulic jump that might appear where the channel

**Table 1.** LW mixtures features.

Mixture ( $10^{-3} \text{ m}^3$ ) name	Number of logs				Fine material (pine needles) FM	Mean length (mm) $L_{\text{LW,mean}}$	Mean diameter (mm) $D_{\text{LW,mean}}$	Solid volume $V_S$
	by length (mm)							
	50	100	150	200				
Mix 1A	114	88	31	7		87	7.8	1.04
Mix 1B	160	64	25	5	Yes	76	6.5	0.77
Mix 2A	279	11	16	0		67	6.2	0.94
Mix 2B	186	65	15	0	Yes	83	8.3	1.01
Mix 3B	332	131	65	20	Yes	82	7.4	2.04

flows enter the dam backwater area. In addition, congested LW clusters might also be reorganized by the recirculations that appear in the dam backwater area (see e.g. Tamagni et al., 2010). Consequently, although this is a simplification, we neglected the upstream, in-channel LW flow regime and forced a semi-congested supply regime.

Acknowledging that LW recruitment and transfer is quite random in the field (Comiti et al., 2016), we did not try to define a relevant rate of LW introduction in the flume as done in other works (e.g. D'Agostino et al., 2000; Meninno et al., 2019; or Rossi and Armanini, 2019). Rather, an inverse approach was chosen of trying to supply LW to make the jam “supply unlimited”. We hypothesized that LW transported by the approaching or recirculating flows, i.e. LW of type (1) in Fig. 1, generates marginal energy head loss. Conversely, LW of type (2) and (3) in Fig. 1 does not move, generates obstruction and friction with the flow, and thus participates in energy head loss. During experimental runs, it was made sure that LW of type (1) was always in the flume until the LW mixture was entirely supplied. The protocol was thus to follow the rule, “LW is to be added whenever all elements are stuck to the dam and no more elements are freely (re)circulating”. During each discharge step, we continuously checked that at least a couple of logs were recirculating and we introduced more of them whenever it was not the case. This protocol has the advantage of avoiding mechanisms related to specific LW recruitments and transfer scenarios and is expected to prevent eventual side effects of making an arbitrary choice regarding LW supply rate. We also reckon that just the total volume used at the run scale is known and not the precise volume of LW used for a given discharge measurement.

The experimental data comprised 649 flow depth and discharge measurements of which one-quarter concerns pure-water experiments and three-quarters concern LW (data provided in supplemental data of this paper). The head loss  $\Delta h$  was computed as the difference between  $h$ , the depth measured with LW, and  $h_0$ , the depth computed in the pure-water condition, i.e. using Eq. (4) with the same discharge and setting  $\beta_1 = \beta_2 = 0$ . The  $\beta_i$  coefficients were then computed

in several steps (Fig. 4): (i)  $\beta_1$  was computed using Eq. (2) for each measurement where no or slight overflowing discharge was observed; (ii) the bounds of  $\beta_1$  were determined out of all these measurements; (iii)  $\beta_2$  was computed using Eq. (4) for all measurements considering  $\beta_1$  bounds and their average; and (iv) bounds of  $\beta_2$  were fit on discharges that were strongly overflowing. Since  $\beta_1$  bounds are calibrated for no and low overflowing discharge while  $\beta_2$  bounds are calibrated on high overflowing discharge, the transparency of the points are increased in the figures where they lose relevance.

## 4 Results

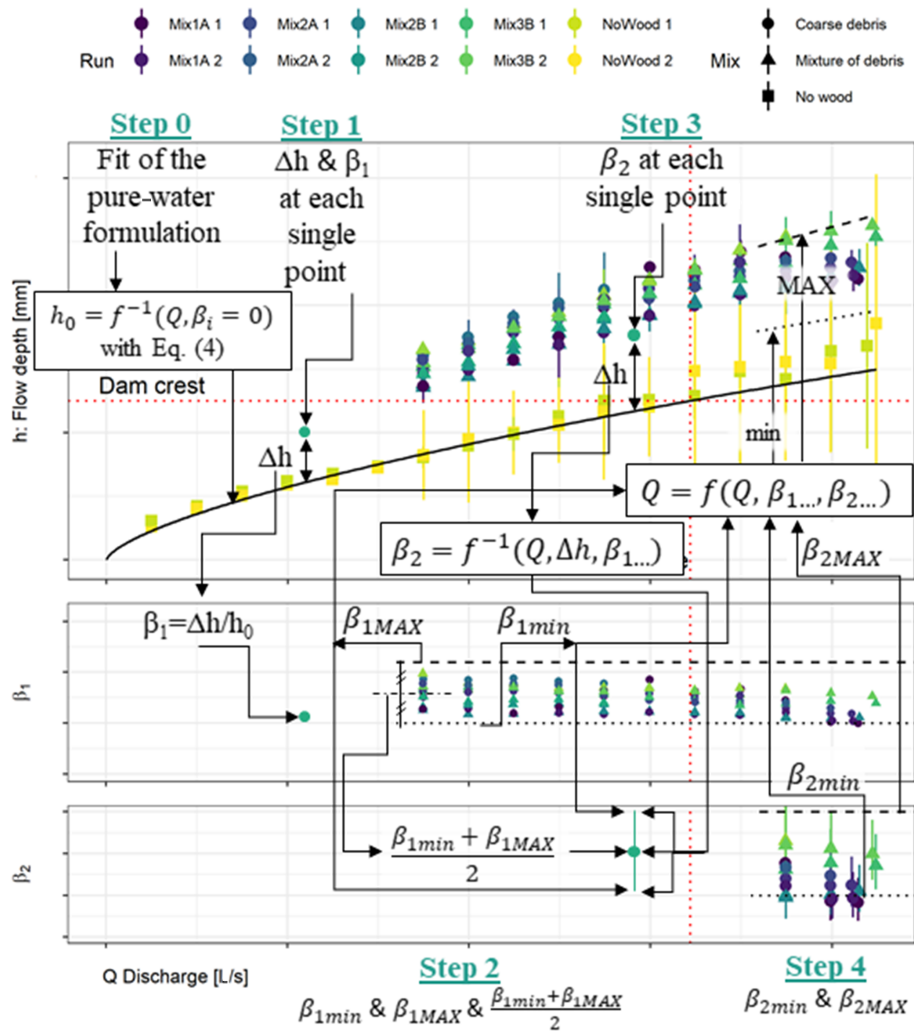
### 4.1 Main phases of LW jamming and releases

The same main phases of the process were observed during runs with LW (Fig. 5).

#### 4.1.1 Phase 1 – accumulation at the dam

During Phase 1, LW approached the openings and a few pieces eventually passed through the dam (Fig. 5a and b). LW elements were mostly stuck against the dam, generally floating in a horizontal position. Logs tended to be oriented parallel to the dam in its direct vicinity and to accumulate in increasingly random orientations when distance from the dam increased. At each discharge step, flow depth increased progressively up to a new stable value. The LW would reorganize at each flow depth change, generating increased obstruction of the openings. LW elements stuck against the openings seldom moved upward when the free surface level changed but rather would stay stuck at their position due to the drag force, the friction with the dam, and their eventual entanglement in the openings and between logs. Neighbouring elements could then approach the dam and openings for any sufficient water depth increase. They would pile up over other jammed LW pieces and would progressively obstruct the entire upstream face of the dam. LW elements not stuck at





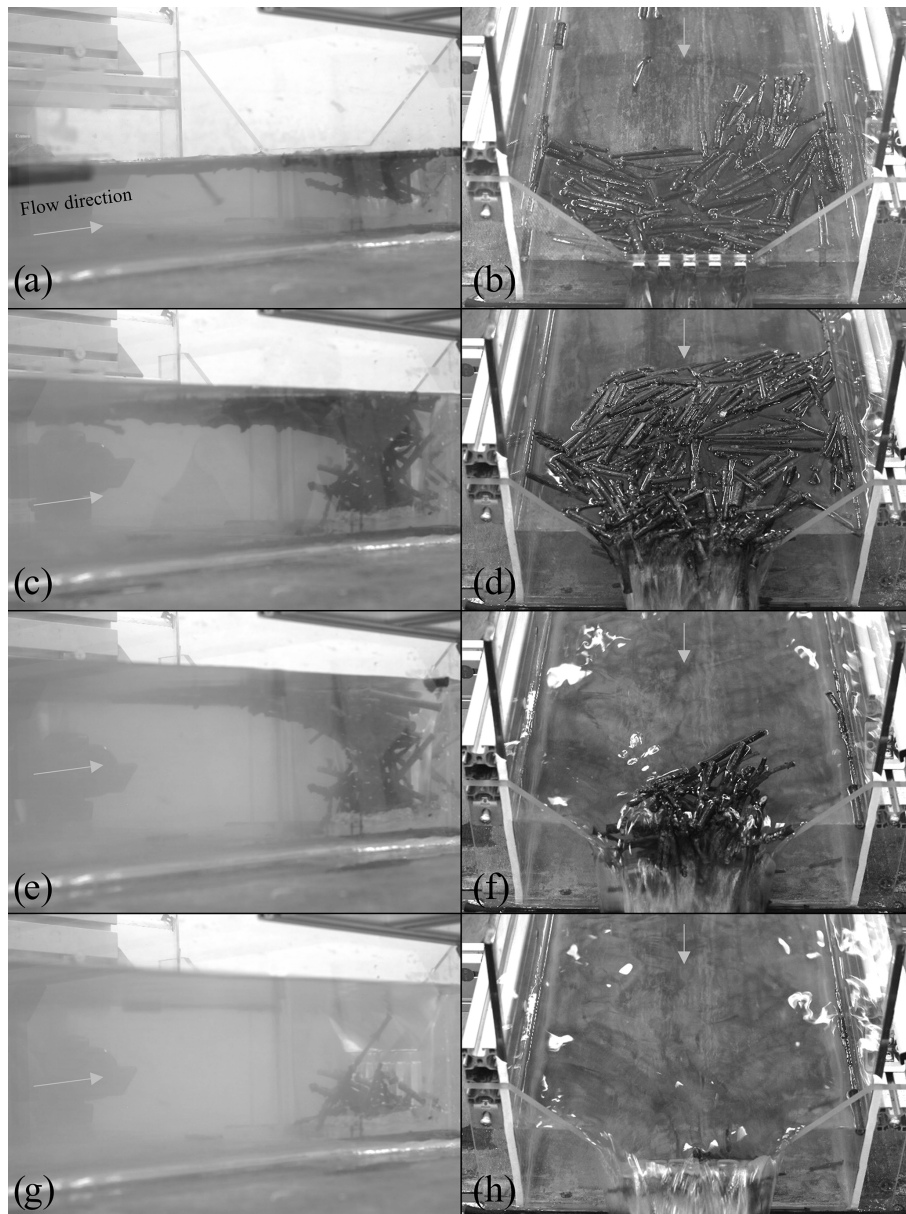
**Figure 4.** Computation steps for  $\beta_1$  and  $\beta_2$ . Step 0: fit of the pure-water equation. Step 1: computation of  $\beta_1$ . Step 2: computation of bounding values of  $\beta_1$ . Step 3: computation of  $\beta_2$ . Step 4: computation of bounding values of  $\beta_2$ .

the dam were (see Fig. 1) (1) floating freely and moving with the flows; (2) organized close to the dam in a quasi-immobile “floating carpet”; or (3) dragged underneath the carpet, after impact with the floating LW reaching the openings or becoming stuck against other logs. Logs of type (3) were more numerous when flow through the openings was significant, e.g. with the sabo dam, as well as with the slot dam though to a lesser extent. Phase 1 was not observed at the closed dam since it had no openings. A more detailed description of the formation of a LW jam can be found in e.g. Schalko et al. (2019a) considering a constant water discharge.

**4.1.2 Phase 2 – overflowing with possible LW release**

Phase 2 started when overflow over the spillway reached a sufficient depth to (theoretically) release some LW, i.e. when the flow depth approached or exceeded the LW diameter. The floating carpet followed the free surface level and was then

in a position higher than the dam crest. The floating-carpet arrangement was modified regularly – most notably at increases in water depth – because of the impact of LW upstream or following the release of a few logs transported over the spillway (compare e.g. Fig. 5c, d with Fig. 5e, f). The floating carpet was in a position theoretically prone to being released during this phase but was usually not, due to the spillway obstruction by LW elements (i) arching the spillway, (ii) entangled in the openings or (iii) entangled in other submerged stable logs. In dams with small openings, i.e. the slit and slot dams, floating carpets could be quite extensive while lateral views demonstrated that the openings were jammed only by a few pieces (e.g. Fig. 5c and d). The sabo dam had such a large proportion of the flow that could pass through the dam that even when overflowed, newly supplied LW was again regularly dragged underwater and fed the submerged jam.



**Figure 5.** Example of phases observed during runs where overtopping occurred (illustrated here with Mix A2, repetition no. 2 on slot dam): Phase 1 – LW simply stuck at the dam, apart from a few floating LW pieces, here at discharge  $0.5 \text{ L s}^{-1}$ , (a) side view and (b) top view; Phase 2 – slots jammed and floating carpet developed upstream, here at discharge  $3.5 \text{ L s}^{-1}$ , (c) side view and (d) top view; Phase 2 later – denser jam for higher discharge (here at  $5.4 \text{ L s}^{-1}$ ), several pieces already released, (e) side view and (f) top view, and 5 s later the LW overtopped the barrier; and Phase 3 – final state after jam overtopping occurs here, still for discharge  $5.4 \text{ L s}^{-1}$ , (g) side view and (h) top view.

Lower discharge passing through the dam encouraged a lower number of LW pieces to be submerged, resulting in a more developed floating carpet. The LW elements obstructing the spillway were sometimes very stable, typically when arches formed or if one element took a vertical position, protruding above the water surface and thus behaving as a pole and offering a new point to form stable arches.

#### 4.1.3 Phase 3 – actual LW release

Phase 3 consisted in sudden and massive releases of most floating LW in an either congested or hyper-congested regime with a wetted front (*sensu* Ruiz Villanueva et al., 2019). Phase 3 was systematically observed on the closed, slit and slot dams but only three times on the sabo dam due to experimental limitation: the maximum discharge capacity of



the experimental apparatus of  $8.9 \text{ L s}^{-1}$  was only approaching the conditions for sudden releases. Releases occurred for higher discharges on the sabo dam because (i) the ratios between water depth and dam height were small due to the high permeability, thus limiting the overflowing depth, and (ii) the 11 openings enabled numerous pieces to become entangled and to protrude over the dam crest, thus creating numerous obstacles to the release of the floating elements. We believe that Phase 3 would be observed on the sabo dam on all runs with sufficiently high discharge.

#### 4.2 LW-related head losses and stage–discharge relationships

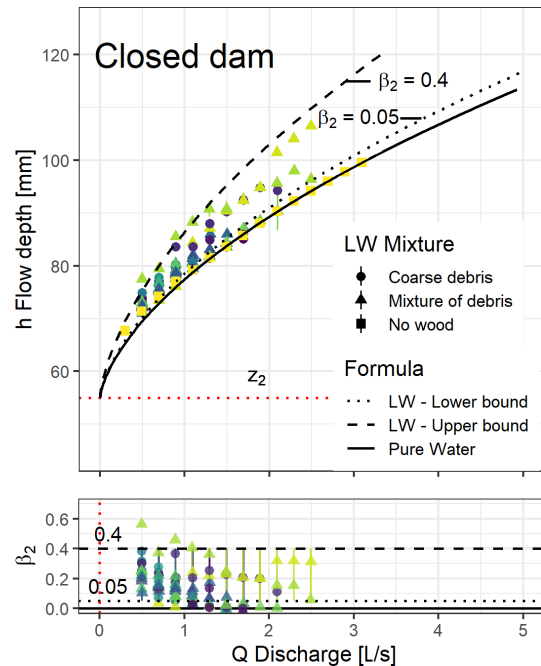
The first objective of this paper is to provide a way to compute the increase in water depth eventually observed upstream of check dams in the presence of LW. The calibration of dimensionless coefficients of the weir and orifice as well as coefficients  $\beta_1$  and  $\beta_2$  are provided in the next sections for each dam tested. Their intercomparison is later provided in the discussion.

##### 4.2.1 Closed dam

The weir coefficient was calibrated at  $\mu_2 = 0.4$  based on the pure-water runs (Fig. 6). This value was later re-used in Eq. (4) for all other dams. The value was calibrated on discharges higher than  $1 \text{ L s}^{-1}$  such that overflowing depth was greater than 1.5 times the dam thickness and the narrow-crested weir hypothesis holds. Using Eq. (3) with  $\beta_2 = 0.05$  and  $\beta_2 = 0.4$  provides satisfying lower and upper bounds, respectively, of the 98 points measured with LW on the closed dam based on eye fitting (Fig. 6). Coefficient  $\beta_2$  was directly computed without approximation for this dam since determining the  $\beta_1$  coefficient is not relevant due to the absence of an opening. A slight but not systematic decreasing trend in  $\beta_2$  can be observed with increasing discharge which is related to the LW accumulation being rearranged as discharge increased. LW releases occurred mostly for discharge between  $1.5$  and  $2.5 \text{ L s}^{-1}$ ; that is why there are only few points for  $Q > 2.0 \text{ L s}^{-1}$ .

##### 4.2.2 Slit dam

The orifice coefficient of the slit dam was calibrated at  $\mu_1 = 0.42$ , namely 65 % of 0.65, which is the value proposed for a single slit without a grill by Piton et al. (2016). This result is consistent with the 50 % obstruction of the slit by the grill and the correction coefficient provided by Piton and Recking (2016a) for gridded slits. Using Eq. (4) with  $\beta_1 = 0.05$  and  $\beta_2 = 0.2$  or  $\beta_1 = 0.25$  and  $\beta_2 = 0.6$  provides satisfying lower and upper bounds, respectively, of the 85 points measured with LW on the slit dam based on eye fitting (Fig. 7). A few points related to one single run reached  $\beta_2$  values that were slightly higher. Both coefficients  $\beta_1$  and  $\beta_2$  show slight decreases with increasing discharge and are often maximal



**Figure 6.** Flow depth versus discharge for closed dam and back-calculated  $\beta_2$  values; each colour shade corresponds to a different run.

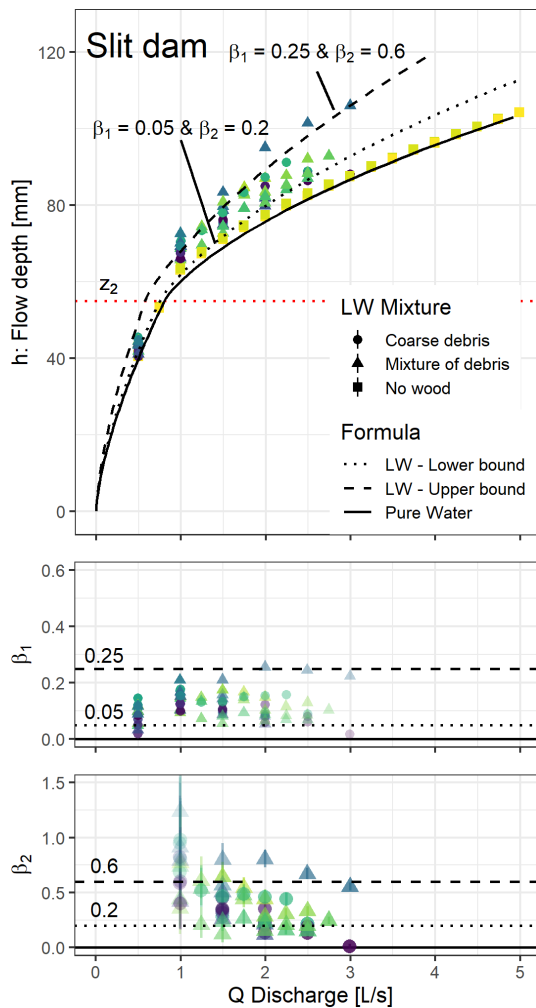
close to the transition between Phase 1 and Phase 2, i.e. when flow overflows the dam by more than 1–2 times the log diameter.

##### 4.2.3 Slot dam

The orifice coefficient of the slot dam was calibrated at  $\mu_1 = 0.72$ , i.e. 110 % of the standard value of 0.65 proposed for a single slit. This is likely related to the influence of several orifices being in close proximity to one another. It enables the flow streamlines to be more smoothly arranged and prevents the streamlines of the central slots from being sharply angled (see also sabo dam below). Using Eq. (4) with  $\beta_1 = 0.15$  and  $\beta_2 = 0.2$  or  $\beta_1 = 0.6$  and  $\beta_2 = 0.6$  provides satisfying lower and upper bounds, respectively, of the 127 points measured with LW on the slot dam based on eye fitting (Fig. 8). Both coefficients  $\beta_1$  and  $\beta_2$  show again slight decreases with increasing discharge and are again maximal close to the transition between Phase 1 and 2. It is interesting to note that the lower and upper values of  $\beta_2$  are similar for the slit and the slot dams.

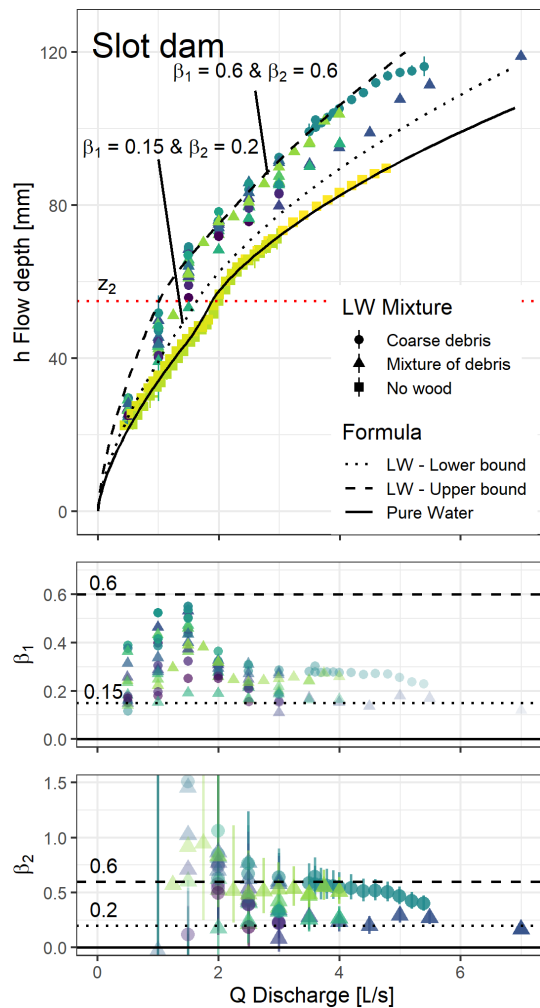
##### 4.2.4 Sabo dam

The orifice coefficient of the sabo dam was calibrated at  $\mu_1 = 0.81$ , i.e. 125 % of the standard value of 0.65 for one single slit. With 11 openings, i.e. 6 more opening parts than the slot dam, the streamlines are likely to be even better arranged, and this is a probable explanation for the dam's



**Figure 7.** Flow depth versus discharge for gridded slit dam and back-calculated  $\beta_1$  and  $\beta_2$  values; each colour shade corresponds to a different run.

increased hydraulic capacity. During the pure-water experiments, some experimental modification to the arrangement at the flume inlet was necessary to enable the pump capacity to be pushed to its maximum, but waves appeared in the flume and greatly disturbed the free surface level measurement. The visible high error bars for some runs are an artefact of these waves, and the deviation from the theoretical curve for  $Q > 5.0 \text{ L s}^{-1}$  should not be considered relevant. This problem was fixed on most measurements with LW with a beneficial effect on the error bars. Using Eq. (4) with  $\beta_1 = 0.5$  and  $\beta_2 = 0.5$  or  $\beta_1 = 1.1$  and  $\beta_2 = 2$  provides, respectively, satisfying lower and upper bounds of the 186 points measured with LW on the slot dam based on eye fitting (Fig. 9). Both coefficients  $\beta_1$  and  $\beta_2$  show here again slight decreases with increasing discharge and are again maximal close to the transition between Phase 1 and 2, i.e. when flow starts overflowing the dam, which occurs much later than for the other dams.



**Figure 8.** Flow depth versus discharge for slot dam and back-calculated  $\beta_1$  and  $\beta_2$  values; each colour shade corresponds to a different run.

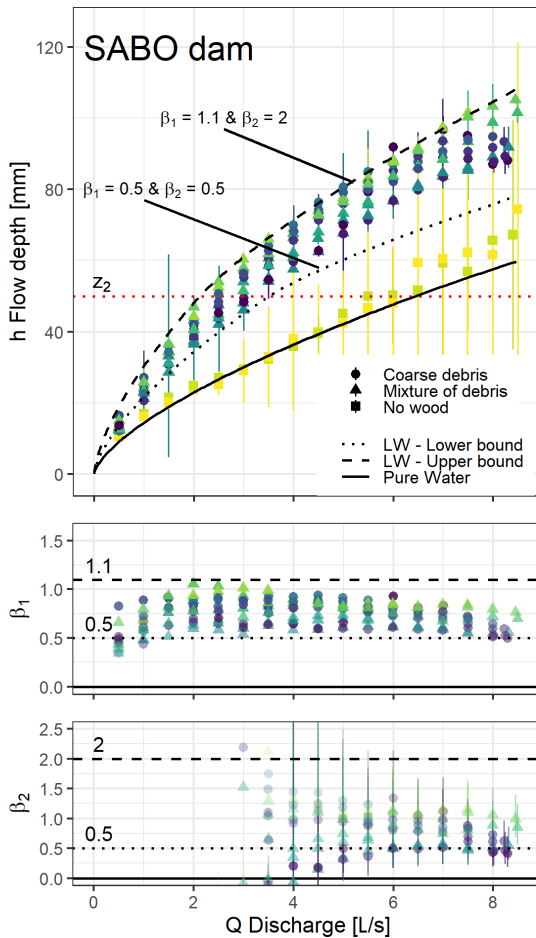
### 4.3 Release conditions

The second objective of this paper was to describe conditions leading to the release of LW downstream by dam overtopping. In order to transfer the results of this study, dimensionless numbers can be defined to characterize the flow conditions and eventually the domains where LW releases were observed, i.e. where trapping efficacy drops suddenly.

Furlan (2019) identified that the probability of logs being trapped by reservoir dam spillways was first related to the ratio between overtopping depth and log diameter. The dimensionless overtopping depth ratio  $h^*$  (–) is defined as

$$h^* = \frac{h - z_2}{D_{\text{LW,mean}}}, \quad (5)$$

where  $h$  is the water depth (m),  $z_2$  is the dam crest level (m) and  $D_{\text{LW,mean}}$  is the mean log diameter of the LW mixture (m) determined only for LW elements (diameter  $> 0.1$  m



**Figure 9.** Flow depth versus discharge for sabo dam and back-calculated  $\beta_1$  and  $\beta_2$  values; each colour shade corresponds to a different run.

in the field, taken as 3 mm in our case assuming a scale ratio of 1 : 34).

Figure 10 displays the percentage of LW released against  $h^*$ . It can be observed that most “significant” releases, i.e. > 10 %, occurred in the range  $3 < h^* < 5$ . A few releases were also observed for much higher overtopping ratios, up to  $h^* = 10$ . They occurred for LW jams stabilized by logs arching the weir or by logs tightly entangled in the submerged elements. The LW maximum length might play a marginal role for the closed dam and for the sabo dam where releases occurred more for mixtures with a smaller maximum length, but this was not consistently observed for all dams. A log length longer than twice the weir width creates conditions with a very high probability of stable arching of the weir (Piton and Recking, 2016b). These conditions were not tested since the log maximum length was either 150 or 200 mm and the weir base width was 150 mm. Consequently, log length had only a marginal effect on release conditions.

Furlan (2019) also studied the effect of log density, but that was ignored in this study. While the density is key to

determining the submerged part of a single log floating and eventually passing over a dam reservoir spillway, as soon as several logs pile up and eventually slide or rotate over the open-check-dam crest, we assume that their respective density has only a side effect. It is however taken into account in the second dimensionless number introduced below.

The dimensionless overtopping ratio  $h^*$  was not sufficient to capture the overtopping process. Floating carpets (type 2 in Fig. 1) were observed to be more easily released than LW jams that were submerged and tightly entangled (type 3 in Fig. 1). Jams against the sabo dam for instance were rarely released even for  $h^* > 5$ . As comprehensively described by Schalko et al. (2019a), the shift from the regime of floating carpet to the regime of submerged jam is governed by the balance between buoyancy and drag forces. Similar to Kimura and Kitazono (2019), a dimensionless number determining whether buoyancy or drag force dominates is hereafter defined in order to differentiate which kind of jam might form. Buoyancy, denoted  $\Pi$  hereafter, was computed considering the log full volume under the water surface, i.e. at the transition between floating and sinking:

$$\Pi = \frac{g(\rho - \rho_{LW})\pi D_{LW\text{ mean}}^2 L_{LW\text{ mean}}}{4}, \tag{6}$$

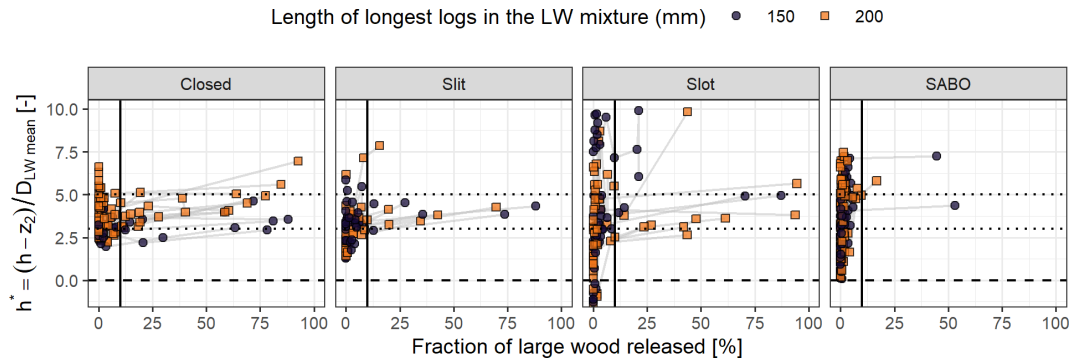
where  $\rho$  and  $\rho_{LW}$  are the water and LW density ( $\text{kg m}^{-3}$ ), respectively. The drag force  $F_D$  was computed using

$$F_D = \frac{1}{2}\rho C_D D_{LW\text{ mean}} L_{LW\text{ mean}} v^2, \tag{7}$$

where  $C_D$  is the drag coefficient (–) assumed to be equal to 1.2 for logs without branches (Merten et al., 2010; Ruiz-Villanueva et al., 2014a) and  $v$  is the flow velocity near the log ( $\text{m s}^{-1}$ ). This formulation relies on several hypotheses: (i) the log is assumed to be in a transverse position with respect to the flow direction and quasi-submerged, consistent with the hypothesis made for buoyancy, and the surface of the log is proportional to its diameter times its length; (ii) the log is quasi-immobile, so the full velocity of the flow is considered; (iii) the precise value of  $v$  in the direct vicinity of the logs is unknown, but the cross-sectional-averaged velocity is considered relevant as a first approximation; thus  $v \approx Q/(hW)$  where  $W$  is the flume width (here 0.4 m). The dimensionless number called the buoyancy-to-drag-force ratio  $\Pi/F_D$  is defined as the ratio between Eqs. (6) and (7) that can be rearranged as follows:

$$\begin{aligned} \frac{\Pi}{F_D} &= \frac{\pi}{2C_D} \frac{\rho - \rho_{LW}}{\rho} D_{LW\text{ mean}} \frac{gW^2h^2}{Q^2} \\ &= \frac{\pi}{2C_D} \frac{\rho - \rho_{LW}}{\rho} \frac{D_{LW\text{ mean}}}{h} \frac{1}{Fr^2}. \end{aligned} \tag{8}$$

Theoretically, when  $\Pi/F_D \gg 1$ , a log should float since buoyancy prevails, and that should be the “floating-carpet domain”. Conversely, when  $\Pi/F_D \ll 1$ , a log can be submerged, dragged by the flow below the water surface, and this should be the “piling jam domain”.



**Figure 10.** Percentage of LW released (i.e. mass fraction of LW released during one discharge step over total sample mass) against dimensionless overtopping depth  $h^*$ . Light grey lines connect points of each single run. The continuous vertical line marks the 10 % released which was fixed arbitrarily as the threshold value for significant LW release. The most significant LW release appears for  $3 < h^* < 5$ , but discharge steps with an absence of releases also appear often as illustrated by the numerous points on the left-hand side of each graph.

Figure 11 displays  $\Pi/F_D$  versus  $h^*$  with the size of dots proportional to the amount of LW released. In addition, a smoothed trend line related only to points with a released LW fraction higher than 10 % was computed using the `stat_smooth` function and loess method of the `ggplot2` library in R (Wickham, 2016) and plotted in orange. This statistical fit overall confirms that most releases appeared for  $3 < h^* < 5$ , although it highlights particular behaviour for high and low values of  $\Pi/F_D$ . In the floating-carpet domain, i.e. when  $\Pi/F_D \gg 1$ , the threshold value for overtopping of  $h^*$  is in the range of 3–5. The threshold however decreases slightly for  $\Pi/F_D > 3$  and, for  $\Pi/F_D > 10$ , approaches the critical values of  $h^* = 1.5$ –2 identified by Furlan (2019) for dam reservoir spillways.

In the piling jam domain, i.e. when  $\Pi/F_D \ll 1$ , the few available observations suggest a significant increase in flow overtopping,  $h^*$ , with decreasing  $\Pi/F_D$  (sharp break in trend line, more obvious in the inset of Fig. 11). This is due to drag force being higher than buoyancy force, favouring piling up, dense 3D jams and strong friction between logs. Close to the threshold, i.e. for  $\Pi/F_D \approx 1$ , the range of 3–5 is still applicable. Random variation in the log arrangement made the threshold  $h^*$  value vary around the mean trend. Such stochasticity must be accepted as part of the process of LW jamming and behaviour. In addition, as said before, a few points, related to randomly generated very stable arrangements may reach higher values of  $h^*$ , e.g. the few black squares with  $h^* \approx 6$ –7 related to jams retained by arching logs across the weir. Small transparent points appear for  $h^* < 0$  and are related to a few logs passing through the dams' openings.

## 5 Discussion

### 5.1 Comparison with existing studies

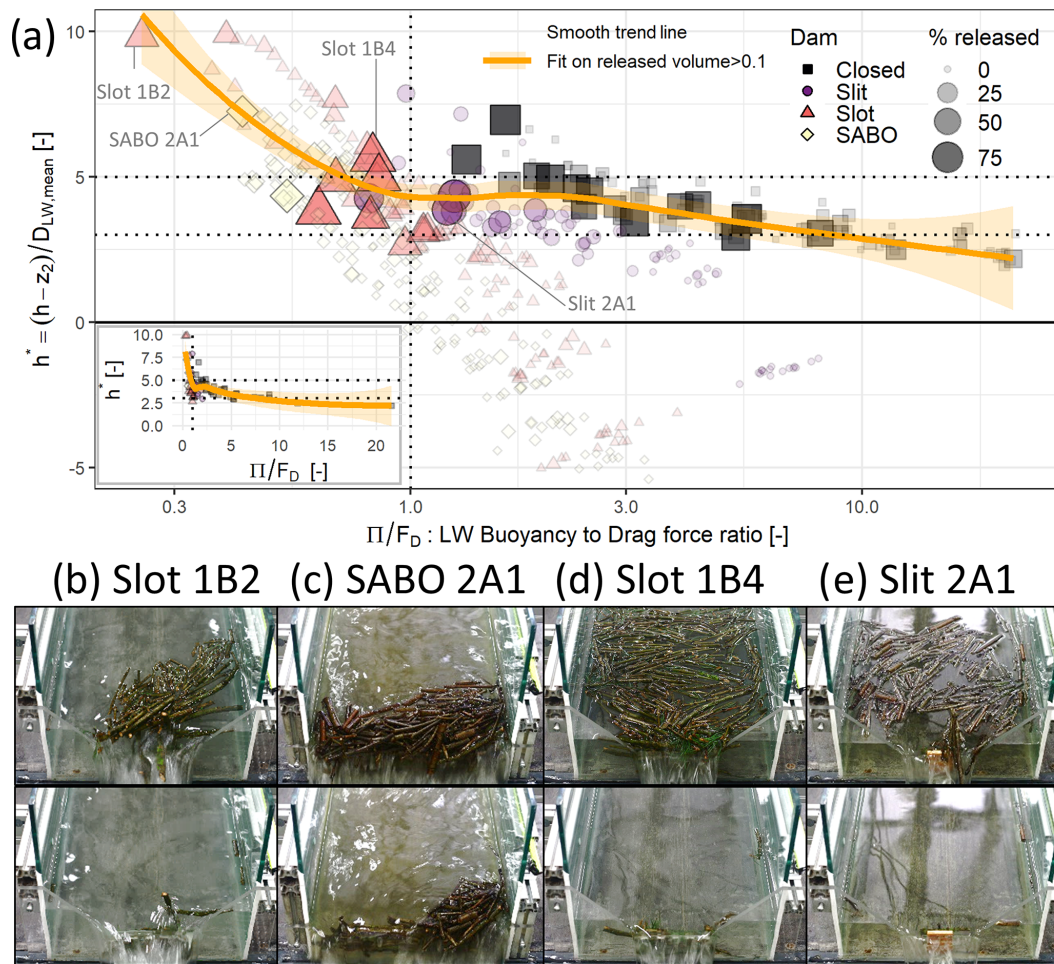
Past works on interactions between LW and dams studied LW-related head losses or trapping efficacy, which is some-

what the opposite of release conditions (Table 2). The results of the experiments presented in this paper are also included in Table 2 using  $\Delta h/h_0$ , which represents the balance between  $Q_1$  and  $Q_2$  and thus the effects of both  $\beta_1$  and  $\beta_2$ . Values of  $\Delta h/h_0$  measured in past works in quite different structures than the one tested in this paper are very consistent:

- i. Overflowing structures such as dam spillways, PK weirs and our closed dam exhibit the smallest  $\Delta h/h_0$  values ranging 0 %–50 % (Hartlieb, 2012, 2017; Schmocker, 2017; Furlan, 2019; Pfister et al., 2013a, b, 2020), with lower values when a rack or protruding piles are set upstream of the spillway (Schmocker, 2017; Furlan, 2019; Pfister et al., 2020).
- ii. Slit and slot dams exhibit slightly higher  $\Delta h/h_0$  values, ranging 5 %–60 % (Meninno et al., 2019) with lower values when grills protect the slit.
- iii. Widely open structures such as sabo dams and racks exhibit high values of  $\Delta h/h_0$ , ranging 20 %–100 % (Horiguchi et al., 2015; Schmocker and Hager, 2013; Schalko et al., 2019a) for subcritical approaching flows (up to 210 % as in the experiments of Schmocker and Hager, 2013, who used high LW volumes) and ranging 170 %–230 % for supercritical approaching flows (up to 330 % for a high volume of LW – Schmocker and Hager, 2013).

Supercritical conditions results in very high  $\Delta h/h_0$  because  $h_0$  is low. Given the same approach flow depth, the resulting backwater rise under supercritical conditions is higher because of the increased flow velocity and hence increased energy head. However, relative energy head loss  $\Delta H/H_0$  of supercritical conditions is of the same order of magnitude as it is for subcritical flows (see Appendix for detailed computation of  $\Delta H/H_0$ ).  $\Delta H/H_0$  values are typically up to 0.6–0.7 for average LW volumes and up to  $\Delta H/H_0 \approx 1.5$  for high





**Figure 11.** Characterizing release conditions: (a) dimensionless overtopping depth  $h^*$  vs. buoyancy-to-drag-force ratio  $\Pi/F_D$  with dot size and opacity proportional to the amount of LW released. Inset: same figure with non-logarithmic  $x$  axis highlighting the sharp increase in  $h^*$  for significant releases; and (b–e) pictures of selected releases before (top picture) and after (bottom picture) releases. Releases occur for lower  $h^*$  values in the  $\Pi/F_D \gg 1$  domain, i.e. if buoyancy prevails and floating carpets form with loosely packed logs (see d and e), while releases occur for higher  $h^*$  values if dense jams form under high drag forces in the  $\Pi/F_D \ll 1$  domain where densely packed jams forms (b, c), eventually stabilized by protruding logs (see b, bottom picture).

volumes of LW. Using relative energy head loss  $\Delta H/H_0$  rather than relative head loss  $\Delta h/h_0$  in future work is recommended since it removes the bias related to the lack of kinetic energy in the ratio  $\Delta h/h_0$ . In fact, most of the kinetic energy transforms into potential energy (i.e. height) when fast flow (either supercritical or subcritical) reaches the vicinity of hydraulic structures jammed by LW.

The volume of LW used in the experiments was demonstrated to be a key parameter of the head loss (Schalko et al., 2018, 2019a). In order to compare results from many different works in Table 2, the ranges of the dimensionless solid relative volume  $V_{s,rel} = V_s/Wh_0^2$  was computed. It can be observed that it varies by several orders of magnitude but does not seem to significantly affect the relative head loss providing that sufficient LW is used to clog the structure,

which is consistent with the conclusion of Schmocker and Hager (2013), Schmocker (2017), or Schalko et al. (2019a).

The experiments of the present paper modelled the rising limb of hydrographs until overtopping of LW or reaching maximum pump capacity. Hydrograph recession or an eventual flood hydrograph with several peaks was not modelled. LW jams tend to remain in place when discharge decreases according to our experience (see also Moldenhauer-Roth et al., 2021). If LW jams are not removed, we consider, consistently with Schalko et al. (2019a), that large head losses are to be expected at structures already jammed by LW. Similarly, it is worth mentioning that if LW-hyper-congested flows (sensu Ruiz Villanueva et al., 2019) occur and enter the dam backwater area as a floating carpet comprising several layers of logs, this floating carpet could reach the dam en masse and immediately form a 3D dense jam even though the flow re-

**Table 2.** Literature review of existing results on LW-related head losses and release conditions.

Type of structure	Ranges of $\Delta h/h_0$ ( $\Delta H/H_0$ ) <sup>a</sup> [ $Fr_0$ ] <sup>b</sup>	Range of $V_{s,rel} = V_s/(Wh_0)$ <sup>c</sup>	Parameter driving LW releases	Comment	Reference	Work main topic <sup>d</sup>
Piano-key weir	(0–0.2) Unknown $Fr_0$	0.2–80	$h/D_{LW} > 3$ ( $h/D_{LW} > 10$ with branches and root wads)	$\Delta H/H_0$ up to 0.6 for low discharge	Pfister et al. (2013a, b)	HL
Reservoir dam spillway	0.05–0.5 [0.05–0.35]	0.04–0.7		Test begun with $h \gg D_{LW}$	Hartlieb (2012, 2017)	HL
–	0.2–0.3 [0.5]	2–8		Without upstream rack	Schmocker (2017)	HL
–	0–0.3 [0.01]	2–15	$h/D_{LW} > 1.5$ $W_0/L_{LW} > 1.25$		Furlan (2019)	TE
–	0–0.29 [0.01–0.02]	12–522	$h/D_{LW} > 1.7–3$ $W_0/L_{LW} > 1.3$	Without piles	Pfister et al. (2020)	HL and TE
–	0–0.29 [0.02–0.1]	1–68	$h/D_{LW} > 1.7–3$ $W_0/L_{LW} > 1.3$	With piles	Pfister et al. (2020)	HL
Closed check dam	0.05–0.4 [0.01–0.1]	0.3–1	$5 > h/D_{LW} > 3$		This paper	HL and TE
Reservoir dam spillway	0.08–0.1 [0.5]	2–8		With upstream rack	Schmocker (2017)	HL
–	0.02–0.17 [0.02–0.1]	12–522		Piles protruding in the reservoir	Pfister et al. (2020)	HL
–	0–0.06 [0.01–0.1]	1–189		With upstream rack	Pfister et al. (2020)	HL
Slit dam	0–0.1 [0.07]	0.002–0.08	Unknown	With inclined grill located upstream*	Meninno et al. (2019)	HL and TE
–	0.05–0.3 [0.05–0.1]	0.3–2	$5 > h/D_{LW} > 3$	With grill in the slit	This paper	HL and TE
Slit dam	0.05–0.6 [0.07]	0.002–0.08	$W_0/L_{LW} > 1/2$ $W_0/L_{LW} > \approx 1$	8–14 logs s <sup>-1</sup> at inlet* 150 logs s <sup>-1</sup> at inlet*	Meninno et al. (2019)	HL and TE
–	Unknown $\Delta h/h_0$ [1.5–4]	0.1–0.4	$W_0/L_{LW} > 0.8–1$	Debris flow experiments*	Chen et al. (2020)	TE
Slot dam	0.05–0.6 [0.1–0.15]	0.2–11	$6 > h/D_{LW} > 3$		This paper	HL and TE
Sabo dam	0.2–1 (0.2–1) [0.4–0.5]	0.7–62	$7 > h/D_{LW} > 4$		This paper	HL and TE
–	0–1.2 [2.5–2.8]	1–15	$W_0/L_{LW} > 0.5–0.75$		Horiguchi et al. (2015)	TE
Rack dam	1.0–2.1 (0.8–1.4) [0.5–0.8] 3.0–3.3 (0.9–1.1) [1.5]	52	Very good trapping efficacy (92%–98%)	*	Schmocker and Hager (2013)	HL
–	0.3–1 (0.2–0.7) [0.3–0.75] 1.7–2.2 (0.5–0.6) [1.2–1.6]	0.3–23	Very good trapping efficacy (95%–100%)	*	Schalko et al. (2019a)	HL

<sup>a</sup> Ranges of  $\Delta H/H_0$  are not provided when upstream Froude number  $Fr < 0.3$  because  $\Delta H/H_0 \approx \Delta h/h_0$ . <sup>b</sup> Range of  $Fr$  in pure-water conditions, computed in the reservoir for spillways. <sup>c</sup> On slit dams  $h_0$  is taken as the depth approaching the slit without LW; on reservoir dam spillways the depth is computed on the spillway without LW, not in the reservoir.

<sup>d</sup> HL: head losses; TE: trapping efficacy. \* Overtopping not possible.



mains in the floating-carpet regime. In such a case, we hypothesize that the jam would be more stable than a single-layer floating carpet (i.e. would be released for higher overflowing depth), but this is to be verified in further works. The eventual effect of basin shape or the presence of sediment deposit on the LW supply regime would also be worthy of investigation.

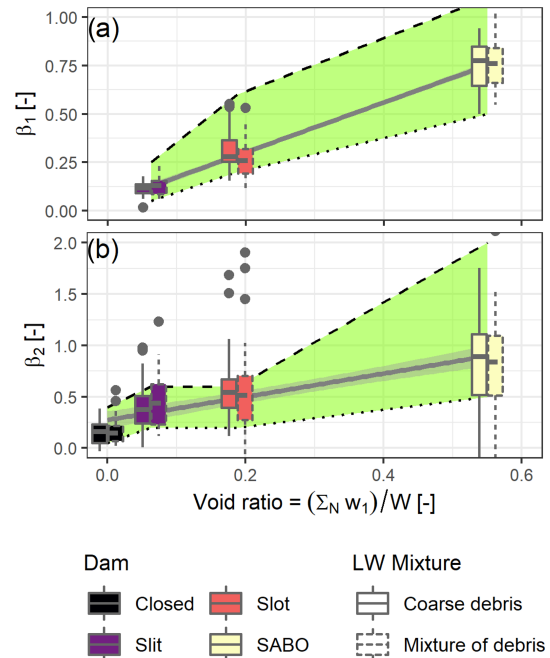
## 5.2 First step toward generalization

Four types of dams were tested in this paper. In order to transfer the results to other open-check-dam configurations, dam permeability was computed using the void ratio (Di Stefano and Ferro, 2013), defined as the cumulated opening width normalized by the flume width  $W$  (m):

$$\text{Void ratio} = \frac{\sum W_1}{N W}. \quad (9)$$

Dams with higher permeability have higher void ratios and higher discharge passing through the dam. Therefore, drag forces are greater to push LW at the dam, thus increasing the value of  $\beta_1$  (Fig. 12a). Meanwhile  $\beta_2$  also increases because the dense jam created at the dam piles up and obstructs the dam crest (Fig. 12b). Consistently, the lower the permeability and the void ratio of the dam, the greater the initial water depth for a given discharge. A corollary is that a higher water depth means slower flow and higher likelihood of staying in the floating-carpet regime, preventing the piling up of LW at the dam, which would result in higher  $\beta_1$  and  $\beta_2$  values. The void ratio is obviously correlated with  $\Pi/F_D$ : a high void ratio reduces  $h$  and thus  $\Pi/F_D$  (see Eq. 9). However, we do not provide a graph showing  $\beta_i$  against  $\Pi/F_D$  because water depth  $h$  is involved in the computation of both variables, thus generating a spurious correlation in such a graph, a drawback that the void ratio does not have.

Two boxplots are displayed in Fig. 12 for each dam. They are computed on data measured with and without pine needles representing twigs and branches at the real scale. According to the literature, higher relative head losses are expected on structures with a high void ratio (e.g. rack dams) in the presence of fine floating material (Schalko et al., 2018, 2019a). This effect of fine material is not observed here. The random variation in  $\beta_i$  between mixtures, repetitions, volume of LW and water discharge is higher than the eventual effect of fine material. Follett et al. (2020) recently demonstrated that head losses were related to the projected area of the material (coarse and fine) constituting the jam. Our fine material was not fine enough to percolate through the accumulation to densify it and to increase the projected area as leaves and fine organic matter would. Schalko et al. (2018, 2019a) for instance used plastic flexible elements to mimic leaves and demonstrated that the fine-material content of the mixture was a significant parameter of the head loss computation. Predicting the amount of fine material that will percolate in a



**Figure 12.** Variability in  $\beta_1$  and  $\beta_2$  versus void ratio for all dams. Boxes display first, second and third quartiles; points are outliers higher than 1.5 times the interquartile range. Grey lines are linear fits on all data highlighting the increasing trends. The light grey ribbon and dotted lines show the upper and lower bounds fitted for each dam. Overall head loss coefficients increase with barrier permeability, but the presence of fine material or only of coarse debris has marginal influence.

LW jam on a given site is however uncertain, and thus equations using this parameter might be difficult to use. When accounting for energy head in hydraulic computation, Table 2 demonstrates that relative energy head losses do not vary that much. Our results show that for sabo dams,  $\beta_1$  varies in the range 0.5–1.1. This range encompasses the values of  $\Delta H/H_0$  measured by Schalko et al. (2019a) and thus the potential effect of fine material. Schmocker and Hager (2013) reported values of  $\Delta H/H_0$  reaching 1.4, which may be used as an upper bound of  $\beta_1$  along with the use of  $H$  in place of  $h$  (see Sect. 2 and Appendix B) if extremely high volumes of LW can be expected and would not overtop the dam.

Using the results of this paper, it seems possible to bound the possible effect of LW reaching an open check dam. Only an estimation of the bounds is possible because random variations in the arrangement and effects of LW cannot be reduced. Rather than trying to compute a most probable water depth, we thus recommend using upper and lower bounds as “pessimistic” and “optimistic” scenarios. It is worth stressing that whether the upper or lower bound is the pessimistic scenario is a matter of perspective. For instance, the pessimistic (i.e. conservative) scenario for the design of the dam wings against overflowing is obviously the upper bound of  $\beta_i$  which will compute the highest head losses and flow

level. Conversely, a higher water level is associated with a higher sediment-trapping capacity (Piton and Recking, 2016a). Consequently, regarding the design criteria of the sediment-trapping capacity, the pessimistic scenario is the one with a low water level, namely the  $\beta_i$  lower bound (Bez-zola et al., 2004). In essence, we recommend designers consider two extremal scenarios rather than a mean behaviour and use each scenario, whenever it is the conservative option, as an assumption for further design steps.

Using this approach, it is possible to assess the discharge that might result in an overtopping of the structure. A first step, the range of flow depth  $h$  possibly observed for a given discharge can be computed with Eq. (4), and the lower and upper bounds of  $\beta_1$  and  $\beta_2$  can be identified for the selected type of dam (using values from Table 2 or eventually an interpolation in Fig. 12 with the void ratio). Assuming a range of  $h$ , it is possible to compute ranges of  $h^*$  and  $\Pi/F_D$  with Eqs. (5) and (8). If the flow is systematically in the floating-carpet domain, LW releases are likely to occur either (i) in the range  $3 < h^* < 5$  (if  $1 < \Pi/F_D < 10$ ) or (ii) in the range  $1.5 < h^* < 3$  (if  $\Pi/F_D > 10$ ). If conversely flows enter the piling jam domain, i.e. where  $\Pi/F_D < 1$ , it can be expected that LW releases occur for  $h^* > 3$ , up to  $h^* \approx 10$  for  $\Pi/F_D \approx 0.3$ . Using the upper and lower bound of  $\beta_i$  will result in two values of  $h$  and thus several couples of  $h^*$  and  $\Pi/F_D$ . Threshold values for overtopping can then be associated with several values of discharge. A typical conclusion would then be that, for instance, overtopping and release of LW might occur for discharge levels ranging from  $40\text{--}60\text{ m}^3\text{ s}^{-1}$ , depending on the random arrangement of LW and of LW features (with sizes, diameter and presence of key large pieces all being also uncertain).

For an overflowing structure or in openings, when the flow width of the structure is close to the length of LW, notably with the key long elements, it cannot be excluded that LW forms arches, thus resulting in more stable jams. The narrower the structure and the more numerous the openings, the more  $h^*$  increases before release. It is known that for a log length 2 to 3 times longer than the opening width, the trapping efficacy becomes very high and release becomes more unlikely (Piton and Recking, 2016b). For logs of length in the range of 1–3 times the flow width, it is partially stochastic (see Horiguchi et al., 2015; Rossi and Armanini, 2019; Meninno et al., 2019; Chen et al., 2020).

### 5.3 Other application of $\Pi/F_D$ – back analysis of numerical 1D and 2D models

Another possible use of our approach could be to identify where floating carpets or dense 3D jams might form using the results of numerical models based on shallow-water equations (i.e. computing depth-averaged velocities). Diverse approaches to computing LW trajectories and effects have been proposed (Addy and Wilkinson, 2019; Stockstill et al., 2009). The advanced way to fully describe log trajectories is by

coupling depth-averaged models with Lagrangian descriptions of logs. This currently relies on the hypothesis that the logs are floating (Ruiz-Villanueva et al., 2014a), i.e. on the hypothesis that flows stay in the floating-carpet domain. It would be easy to create maps of  $\Pi/F_D$  based on numerical model results, which could help to identify where flows leave the floating-carpet domain, i.e. areas where the model might underestimate LW jam packing and where interpretation of the results should be considered with more caution. The use of 3D flow models makes it possible to compute in more detail LW behaviour but requires much more computational power (Kimura and Kitazono, 2019).

## 5.4 Limitations of the approach

### 5.4.1 Non-unique constant head loss coefficient

Trends of increases followed by decreases in  $\beta_i$  with discharge were highlighted in Figs. 6–9 and could be modelled with a statistical approach. The scattering related to the random variation between runs is, however, bigger than the variation in discharge for a given run. The approach proposed by this paper aimed at being simple to use; therefore, constant values bounding  $\beta_i$  were retained rather than  $\beta_i$  coefficients changing with  $Q$  or  $\Pi/F_D$ .

When the dam crest is overflowed, discharge  $Q = Q_1 + Q_2$  and the head loss  $\Delta h$  is driven by both  $\beta_1$  and  $\beta_2$ . For a unique combination of water depth,  $h = \Delta h + h_0$ , and discharge,  $Q$ , several possible combinations of  $\beta_1$  and  $\beta_2$  values may be considered (Fig. 4). There is a non-uniqueness of possible  $\beta_i$  parameters for each water depth and discharge combination. This is overcome by defining constant bounding values for the  $\beta_i$  parameters for the whole range of discharge levels tested for each dam. A sensitivity analysis using other  $\beta_i$  coefficients is provided in supplemental material to demonstrate that using lower or higher values of  $\beta_1$  or  $\beta_2$  will not be relevant over the same full range of discharges to bound the measured water depth.

### 5.4.2 Uncertain buoyancy-to-drag-force ratio

It is worth stressing that the way buoyancy, drag force and thus the ratio  $\Pi/F_D$  are computed relies on several crude hypotheses presented above.  $\Pi/F_D$  is clearly not an accurate ratio capturing all the subtle effects of log shape, roughness and flow approaching conditions.  $\Pi/F_D$  also ignores the effect of other logs, antecedent flow conditions and the complex flow 3D pattern in the vicinity of the dam and LW jam.  $\Pi/F_D$  should merely be considered a proxy of the buoyancy-to-drag-force ratio to identify in a crude way whether LW might accumulate as a floating carpet or as a dense 3D jam. Further experiments aiming at refining the threshold value of  $\Pi/F_D$  and its uncertainty are necessary. Other formulations, using more detailed expressions of drag force or buoyancy or other dimensionless numbers,

could be relevant. For instance, Kimura and Kitazono (2019) proposed the use of the “driftwood Richardson number”  $DRI = (\rho_{LW} - \rho) / (\rho Fr^2)$ , which is the ratio between buoyancy and inertial force, to discriminate LW accumulating at bridge piles as floating carpet from that accumulating as 3D jams.  $\Pi / F_D$  worked better than DRI on our data, so we did not push further their concept, but they inspired us to define  $\Pi / F_D$ .

## 6 Conclusion

Debris basins equipped with open check dams are key structures in the mitigation of hazards due to solid transport (sediment and LW). Open check dams aim at trapping all or some of the sediment and/or LW. They are compound structures with openings partway through the dam and with a safety spillway on top. These hydraulic structures are usually designed considering, on the one hand, boulder and log sizes and opening sizes to assess the clogging probability and, on the other hand, using hydraulic equations to estimate flow depth, overflowing height and basin filling. Although LW has been proven to have significantly affected the proper functioning of open check dams in the past, its accumulation is still often ignored in open-check-dam design, notably due to the lack of comprehensive studies on the effects of LW on open-check-dam hydraulics. In the worst cases, open check dams are overflowed at such a depth that the LW is suddenly released, triggering high damage aggravation downstream. The few works addressing LW releases have so far been dedicated to reservoir dam spillways. No previous studies have so far addressed compound structures with both openings and an upper spillway in as much detail as the present paper.

This paper presents a comprehensive analysis of the disturbance induced by LW on open-check-dam hydraulics and of the LW release conditions. A framework of analysis using simple dimensionless coefficients was developed to compute the relative increase in water depth related to LW presence. It was demonstrated that flow depth might increase by 5%–40% on weirs, by 20%–60% on slit and slot dams, and by 50%–200% on racks and sabo dams. These results are consistent with data from the literature on dam reservoir spillways or on LW racks and seem transferable to other similar structures.

In addition, it was highlighted that LW may be released over the structures for overflowing water depths higher than 3–5 times the LW diameters. This value is higher than the range of 1.5–2 times the LW diameters measured on dam reservoir spillways because LW tends to become more tightly entangled at open check dams than in the tranquil lakes formed by reservoir dams. In order to anticipate whether the LW might accumulate as a single-layer floating carpet or as a dense 3D jam, a new dimensionless number was proposed. This ratio of buoyancy to drag force captures the transition from the regime of floating carpets to the regime of dense multi-layer jams. The latter regime not only is more stable and requires greater flow depths for LW releases but also triggers higher head losses.

## Appendix A: Notation

$C_D$	Drag coefficient of logs (–)
$D_{LW, \text{mean}}$	Arithmetic mean log diameter (m)
$F_D$	Drag force on logs ( $N$ )
$Fr$	Froude number, with LW $Q/(gW^2h^4)^{0.5}$
$Fr_0$	Froude number, without LW $Q/(gW^2h_0^3)^{0.5}$
$H$	Flow energy head, with LW, $h + Q^2/2gW^2h^2$ (m)
$H_0$	Flow energy head, without LW, $h_0 + Q^2/2gW^2h_0^2$ (m)
$h$	Flow depth upstream of the open check dam, with LW (m)
$h_0$	Flow depth upstream of the open check dam, without LW (m)
$\Delta h$	LW-related head loss, $h - h_0$ (m)
$\Delta H$	LW-related energy head loss, $H - H_0$ (m)
$h^*$	Dimensionless overtopping depth, $(h - z_2)/D_{LW, \text{mean}}$ (–)
$g$	Gravitational acceleration ( $9.81 \text{ m s}^{-2}$ )
$L_{LW, \text{mean}}$	Arithmetic mean log length (m)
$N$	Number of slits or orifices (–)
$Q$	Total water discharge ( $\text{m}^3 \text{ s}^{-1}$ )
$Q_1$	Water discharge passing through the dam ( $\text{m}^3 \text{ s}^{-1}$ )
$Q_2$	Water discharge passing over the dam ( $\text{m}^3 \text{ s}^{-1}$ )
$V$	Section-averaged flow velocity, $Q/(Wh)$ ( $\text{m s}^{-1}$ )
$v$	Flow velocity near logs ( $\text{m s}^{-1}$ )
$V_s$	Solid LW volume, $V_S$ ( $\text{m}^3$ )
$V_{s, \text{rel}}$	Dimensionless relative solid LW volume, $V_S/(Wh_0^2)$ (–)
$W$	Flume width (m)
$W_1$	Orifice or slit width (m)
$W_2$	Crest horizontal width (m)
$z_2$	Dam crest level (m)
$\beta_1$	Dimensionless head loss coefficient for flow passing through the dam (–)
$\beta_2$	Dimensionless head loss coefficient for flow passing over the dam (–)
$\Phi$	Angle between horizontal and wing crest ( $^\circ$ )
$\Pi$	Buoyancy force ( $N$ )
$\rho$	Water density ( $\text{kg m}^{-3}$ )
$\rho_{LW}$	Large-wood density ( $\text{kg m}^{-3}$ )
$\mu_1$	Orifice coefficient (–)
$\mu_2$	Weir coefficient (–)

### Appendix B: Computing relative energy head loss from Froude number and relative head loss

Relative energy head loss is computed using

$$\begin{aligned}
 \frac{\Delta H}{H_0} &= \frac{H - H_0}{H_0} = \frac{H}{H_0} - 1 \\
 &= \frac{h \left( 1 + \frac{Q^2}{2gh^3W^2} \right)}{h_0 \left( 1 + \frac{Q^2}{2gh_0^3W^2} \right)} - 1 \\
 &= \frac{(h_0 + \Delta h) \left( 1 + \frac{Q^2}{2gW^2(h_0 + \Delta h)^3} \right)}{h_0 \left( 1 + \frac{Fr_0^2}{2} \right)} - 1 \\
 &= \frac{\left( 1 + \frac{\Delta h}{h_0} \right) \left( 1 + \frac{Q^2}{2gW^2h_0^3} \frac{h_0^3}{(h_0 + \Delta h)^3} \right)}{\left( 1 + \frac{Fr_0^2}{2} \right)} - 1 \\
 &= \frac{\left( 1 + \frac{\Delta h}{h_0} \right) \left( 1 + \frac{Fr_0^2}{2} \frac{1}{\left( 1 + \frac{\Delta h}{h_0} \right)^3} \right)}{\left( 1 + \frac{Fr_0^2}{2} \right)} - 1. \tag{B1}
 \end{aligned}$$

In the domain  $Fr_0 < 0.3$ ,  $1.05 > \left( 1 + \frac{Fr_0^2}{2} \right) \approx 1$  and  $1.05 > \left( 1 + \frac{Fr_0^2}{2} \frac{1}{\left( 1 + \frac{\Delta h}{h_0} \right)^3} \right) \approx 1$ ; thus Eq. (A1) can be simplified in that  $\frac{\Delta H}{H_0} \approx \frac{\Delta h}{h_0}$ . Conversely for  $Fr_0 > 0.3$ , Eq. (A1) should be used because  $\frac{\Delta H}{H_0} \approx \frac{\Delta h}{h_0}$  becomes quite inaccurate.

*Data availability.* All data used in this paper are provided in the Supplement. More pictures are available in the technical report of Piton et al. (2019b) from <https://hal.archives-ouvertes.fr/hal-02515247> (last access: 3 December 2020). This report in French, which has not been peer-reviewed, was delivered to the French Ministry of Environment, which funded this study.

*Supplement.* The supplement related to this article is available online at: <https://doi.org/10.5194/nhess-20-3293-2020-supplement>.

*Author contributions.* GP led the study, performed the analysis and wrote the paper. TH and LS performed the experiments, contributed to the analysis and reviewed the paper. SL supervised the study and reviewed the paper.

*Competing interests.* The authors declare that they have no conflict of interest.

*Acknowledgements.* INRAE is member of Labex TEC21 (Investissements d'Avenir, grant agreement ANR-11-LABX-0030) and Labex OSUG@2020 (Investissements d'Avenir, grant agreement ANR-10-LABX-0056). The authors would like to thank Hervé Bellot, Alexis Buffet, Christian Eymond-Gris, Firmin Fontaine, Muhammad Badar Munir and Frédéric Ousset for help and assistance during the preparation of this experimental campaign. The authors also warmly thank Bruno Mazzorana and the anonymous reviewer, who provided precise and helpful comments on a previous version of this paper, as well as Kathleen Horita for her additional checking of the manuscript.

*Financial support.* This work was funded by the French Ministry of Environment (Direction Générale de la Prévention des Risques – Ministère de la Transition Ecologique et Solidaire) within the multi-risk agreement SRNH-IRSTEA 2019 (Action FILTOR).

*Review statement.* This paper was edited by Sven Fuchs and reviewed by Bruno Mazzorana and two anonymous referees.

## References

- Addy, S. and Wilkinson, M. E.: Representing natural and artificial in-channel large wood in numerical hydraulic and hydrological models, *Wiley Interdisciplin. Rev.: Water*, 6, 6, <https://doi.org/10.1002/wat2.1389>, 2019.
- Armanini, A., Dellagiacomma, F., and Ferrari, L.: From the check dam to the development of functional check dams, *Fluv. Hydraul. Mount. Reg.*, 37, 331–344, <https://doi.org/10.1007/BFb0011200>, 1991.
- Bezzola, G. R., Sigg, H., and Lange, D.: Driftwood retention works in Switzerland [Schwemmholzrückhalt in der Schweiz], in: INTERPRAEVENT Conference Proceedings, vol. VII, 29–40, available at: [http://www.interpraevent.at/palm-cms/upload\\_files/Publikationen/Tagungsbeitraege/2004\\_3\\_VII-29.pdf](http://www.interpraevent.at/palm-cms/upload_files/Publikationen/Tagungsbeitraege/2004_3_VII-29.pdf) (last access: 3 December 2020), 2004.
- Braudrick, C. A., Grant, G. E., Ishikawa, Y., and Ikeda, H.: Dynamics of wood transport in streams: A flume experiment, *Earth Surf. Proc. Land.*, 22, 669–683, 1997.
- Chen, J., Wang, D., Zhao, W., Chen, H., Wang, T., Nepal, N., and Chen, X.: Laboratory study on the characteristics of large wood and debris flow processes at slit-check dams, *Landslides*, 17, 1703–1711, <https://doi.org/10.1007/s10346-020-01409-3>, 2020.
- Comiti, F., Lucía, A., and Rickenmann, D.: Large wood recruitment and transport during large floods: A review, *Geomorphology*, 269, 23–39, <https://doi.org/10.1016/j.geomorph.2016.06.016>, 2016.
- D'Agostino, V., Degetto, M., and Righetti, M.: Experimental investigation on open check dam for coarse woody debris control, in: Dynamics of water and sediments in mountain basins, vol. 20, 201–212, Bios, available at: [http://intra.tesaf.unipd.it/people/dagostino/Pubblicazioni/P43\\_2000.pdf](http://intra.tesaf.unipd.it/people/dagostino/Pubblicazioni/P43_2000.pdf) (last access: 3 December 2020), 2000.
- Deymier, C., Tacnet, J. M., and Mathys, N.: Conception et calcul de barrages de correction torrentielle, Cemagref Grenoble Pegr., Grenoble, France, 1995.
- Di Risio, M. and Sammarco, P.: Effects of floaters on the free surface profiles of river flows, *Environ. Fluid Mech.*, 20, 527–537, <https://doi.org/10.1007/s10652-019-09710-z>, 2020.
- Di Stefano, C. and Ferro, V.: Experimental study of the stage–discharge relationship for an upstream inclined grid with longitudinal bars, *J. Irrig. Drain. Eng.*, 139, 691–695, [https://doi.org/10.1061/\(ASCE\)IR.1943-4774.0000598](https://doi.org/10.1061/(ASCE)IR.1943-4774.0000598), 2013.
- Dodge, B. H.: Design and Operation of Debris Basins, in: Proceedings, Federal Inter-Agency Sedimentation Conference, US Department of the Interior, Bureau of Reclamation, Denver, CO, 274–301, 1948.
- Follett, E., Schalko, I., and Nepf, H.: Momentum and Energy Predict the Backwater Rise Generated by a Large Wood Jam, *Geophys. Res. Lett.*, 47, <https://doi.org/10.1029/2020GL089346>, in press, 2020.
- Furlan, P.: Blocking probability of large wood and resulting head increase at ogee crest spillways, PhD thesis, EPFL, Lausanne and IST, Lisboa, 2019.
- Furlan, P., Pfister, M., Matos, J., and Schleiss, A.: Influence of Density of Large Stems on the Blocking Probability at Spillways, in: 7th IAHR International Symposium on Hydraulic Structures, edited by: Bung, D. and Tullis, B., USULibraries, Aachen, Germany, 2018.
- Furlan, P., Pfister, M., Matos, J., Amado, C., and Schleiss, A. J.: Experimental repetitions and blockage of large stems at ogee crested spillways with piers, *J. Hydraul. Res.*, 57, 250–262, <https://doi.org/10.1080/00221686.2018.1478897>, 2019.
- Furlan, P., Pfister, M., Matos, J., Amado, C., and Schleiss, A. J.: Statistical accuracy for estimations of large wood blockage in a reservoir environment, *Environ. Fluid Mech.*, 20, 579–592, <https://doi.org/10.1007/s10652-019-09708-7>, 2020.
- Hartlieb, A.: Large scale hydraulic model tests for floating debris jams at spillways, in: vol. C18, Water infinitely deformable but still limited, Proc. of the 2nd IAHR European Congress, 27–29 June 2012, Munich, Germany, 1–6, 2012.



- Hartlieb, A.: Decisive Parameters for Backwater Effects Caused by Floating Debris Jams, *Open J. Fluid Dynam.*, 07, 475–484, <https://doi.org/10.4236/ojfd.2017.74032>, 2017.
- Horiguchi, T., Shibuya, H., Katsuki, S., Ishikawa, N., and Mizuyama, T.: A Basic Study on Protective Steel Structures against Woody Debris Hazards, *Int. J. Protect. Struct.*, 6, 191–215, <https://doi.org/10.1260/2041-4196.6.2.191>, 2015.
- Hübl, J. and Fiebigler, G.: Debris-flow mitigation measures, in: *Debris-flow hazards and related phenomena*, edited by: Jakob, M. and Hungr, O., Springer, Berlin, Heidelberg, 445–487, 2005.
- Ikeya, H.: Study on sediment control effect of open dams, in: *International symposium on Erosion, Débris Flow and Disaster Prevention*, Japan Erosion Control Engineering Society, Tsukuba, Japan, 401–406, 1985.
- Ikeya, H.: Debris flow and its countermeasures in Japan, *Bulletin – International Association of Engineering Geology*, 40, 15–33, 1989.
- Ishikawa, Y.: Production and Flow Down of Floating Logs at Streams and Disasters, *Water Sci.*, 38, 51–77, [https://doi.org/10.20820/suirikagaku.38.1\\_51](https://doi.org/10.20820/suirikagaku.38.1_51), 1994.
- Ishikawa, Y. and Mizuyama, T.: An Experimental study of permeable sediment control dams as a countermeasure against floating logs, in: *6th Congress Asian and Pacific Regional Division – IAHR*, Dept. of Civil Engineering, Kyoto University, Kyoto, Japan, 723–730, 1988.
- Kasai, S., Ohgi, Y., Mizoguchi, I., Matsuda, A., Aramaki, H., and Tanami, M.: Structural characteristics of wood-debris entrapment facilities, in: *INTERPRAEVENT Conference Proceedings*, Garmisch-Partenkirchen, Germany, 1996.
- Kimura, I. and Kitazono, K.: Effects of the driftwood Richardson number and applicability of a 3D–2D model to heavy wood jamming around obstacles, *Environ. Fluid Mech.*, 20, 503–525, <https://doi.org/10.1007/s10652-019-09709-6>, 2019.
- Lange, D. and Bezzola, G.: Schwemmholz – Probleme und Lösungsansätze [Driftwood – Problems and solutions], *Versuchsanstalt für Wasserbau Hydrologie und Glaziologie der Eidgenössischen Technischen Hochschule (VAW, Zürich)*, available at: <https://ethz.ch/content/dam/ethz/special-interest/baug/vaw/vaw-dam/documents/das-institut/mitteilungen/2000-2009/188.pdf> (last access: 3 December 2020), 2006.
- Mazzorana, B. and Fuchs, S.: Fuzzy Formative Scenario Analysis for woody material transport related risks in mountain torrents, *Environ. Model. Softw.*, 25, 1208–1224, <https://doi.org/10.1016/j.envsoft.2010.03.030>, 2010.
- Mazzorana, B., Zischg, A., Largiader, A., and Hübl, J.: Hazard index maps for woody material recruitment and transport in alpine catchments, *Nat. Hazards Earth Syst. Sci.*, 9, 197–209, <https://doi.org/10.5194/nhess-9-197-2009>, 2009.
- Meninno, S., Canelas, R. B., and Cardoso, A. H.: Coupling check dams with large wood retention structures in clean water, *Environ. Fluid Mech.*, 20, 619–634, <https://doi.org/10.1007/s10652-019-09711-y>, 2019.
- Merten, E., Finlay, J., Johnson, L., Newman, R., Stefan, H., and Vondracek, B.: Factors influencing wood mobilization in streams, *Water Resour. Res.*, 46, W10514, <https://doi.org/10.1029/2009wr008772>, 2010.
- Mizuyama, T.: Structural Countermeasures for Debris Flow Disasters, *Int. J. Eros. Contr. Eng.*, 1, 38–43, 2008.
- Moldenhauer-Roth, A., Piton, G., Schwindt, S., Jafarnejad, M., and Schleiss, A. J.: Design of sediment detention basins: Scaled model experiments and application, *Int. J. Sediment Res.*, 36, 136–150, <https://doi.org/10.1016/j.ijsrc.2020.07.007>, 2021.
- Pfister, M., Capobianco, D., Tullis, B., and Schleiss, A. J.: Debris-Blocking Sensitivity of Piano Key Weirs under Reservoir-Type Approach Flow, *J. Hydraul. Eng.*, 139, 1134–1141, [https://doi.org/10.1061/\(asce\)hy.1943-7900.0000780](https://doi.org/10.1061/(asce)hy.1943-7900.0000780), 2013a.
- Pfister, M., Schleiss, A. J., and Tullis, B.: Effect of driftwood on hydraulic head of Piano Key weirs, in *Labyrinth and Piano Key weirs II*, CRC Press/Balkema, Leiden, the Netherlands, 255–264, 2013b.
- Pfister, M., Bénét, L., and De Cesare, G.: Effet des bois flottants obstruant un évacuateur de crue dans des conditions extrêmes, *Wasser, Energie, Luft – Eau, Energie, Air*, 112, 77–83, 2020.
- Piton, G.: Sediment transport control by check dams and open check dams in Alpine torrents, PhD Thesis, Univ. Grenoble Alpes, Grenoble, available at: <https://tel.archives-ouvertes.fr/tel-01420209> (last access: 3 December 2020), 2016.
- Piton, G. and Recking, A.: Design of sediment traps with open check dams. I: hydraulic and deposition processes, *J. Hydraul. Eng.*, 142, 1–23, [https://doi.org/10.1061/\(ASCE\)HY.1943-7900.0001048](https://doi.org/10.1061/(ASCE)HY.1943-7900.0001048), 2016a.
- Piton, G. and Recking, A.: Design of sediment traps with open check dams. II: woody debris, *J. Hydraul. Eng.*, 142, 1–17, [https://doi.org/10.1061/\(ASCE\)HY.1943-7900.0001049](https://doi.org/10.1061/(ASCE)HY.1943-7900.0001049), 2016b.
- Piton, G., Recking, A., Patrocco, D., Ropele, P., Colle, F., Le Guern, J., Rifai, I., Patrocco, D., Bodrato, G., Del Vesco, R., Peyras, L., Boutry, M., Ropele, P., and Collé, F.: Rapport final: Action 2.5 – Vulnérabilité des barrages vis-à-vis des aléas torrentiels, Regione Piemonte, available at: <https://hal.archives-ouvertes.fr/hal-02369775> (last access: 3 December 2020), 2015.
- Piton, G., Mejean, S., Bellot, H., Le Guern, J., Carbonari, C., and Recking, A.: Bed-load trapping in open check dam basins measurements of flow velocities and depositions patterns, in: *INTERPRAEVENT Conference proceedings*, edited by: Koboltschnig, G., International Research Society INTERPRAEVENT, Klagenfurt, Austria, 808–817, available at: <https://hal.archives-ouvertes.fr/hal-01390582> (last access: 3 December 2020), 2016.
- Piton, G., Mano, V., Richard, D., Evin, G., Laigle, D., Tacnet, J. M., and Rielland, P. A.: Design of a debris retention basin enabling sediment continuity for small events: the Combe de Lancey case study (France), in: *Proc. 7th Int. Conf. on Debris-Flow Hazards Mitigation*, June 10–13 2019, Golden, Colorado, USA, 1019–1026, 2019a.
- Piton, G., Marchal, L., and Lambert, S.: Etude Des Interactions Barrages Filtrants/Transport De Flottants Et Risque De Relargage – Etude Experimentale Des Ouvrages Rigides, resreport, IRSTEA (Convention DGPR SNRH 2019 – Action FILTOR), available at: <https://hal.archives-ouvertes.fr/hal-02515247/> (last access: 3 December 2020), 2019b.
- Piton, G., Carladous, S., Marco, O., Richard, D., Liebault, F., Recking, A., Queffélec, Y., and Tacnet, J. M.: Usage des ouvrages de correction torrentielle et plages de dépôt: origine, état des lieux, perspectives, *La Houille Blanche*, 1, 57–67, <https://doi.org/10.1051/lhb/2019008>, 2019c.
- Reneuve, P.: L'évolution de la technique de correction torrentielle, *Revue Forestière Française*, 9–10, 689–693, <https://doi.org/10.4267/2042/27132>, 1955.

- Rossi, G. and Armanini, A.: Experimental analysis of open check dams and protection bars against debris flows and driftwood, *Environ. Fluid Mech.*, 20, 559–578, <https://doi.org/10.1007/s10652-019-09714-9>, 2019.
- Rudolf-Miklauer, F. and Suda, J.: Design Criteria for Torrential Barriers, in: *Dating Torrential Processes on Fans and Cones*, vol. 47, edited by: Schneuwly-Bollschweiler, M., Stoffel, M., and Rudolf-Miklauer, F., Springer Netherlands, 375–389, 2013.
- Ruiz-Villanueva, V., Bodoque, J. M., Díez-Herrero, A., and Bladé, E.: Large wood transport as significant influence on flood risk in a mountain village, *Nat. Hazards*, 74, 967–987, <https://doi.org/10.1007/s11069-014-1222-4>, 2014a.
- Ruiz-Villanueva, V., Bladé, E., Sánchez-Juny, M., Martí-Cardona, B., Díez-Herrero, A., and Bodoque, J. M.: Two-dimensional numerical modeling of wood transport, *J. Hydroinform.*, 16, 1077, <https://doi.org/10.2166/hydro.2014.026>, 2014b.
- Ruiz-Villanueva, V., Mazzorana, B., Bladé, E., Bürkli, L., Iribarren-Anacona, P., Mao, L., Nakamura, F., Ravazzolo, D., Rickenmann, D., Sanz-Ramos, M., Stoffel, M., and Wohl, E.: Characterization of wood-laden flows in rivers, *Earth Surf. Proc. Land.*, 44, 1694–1709, <https://doi.org/10.1002/esp.4603>, 2019.
- SABO Division: Guideline for driftwood countermeasures (proposal and design), edited by Sediment Control (Sabo) Department, Ministry of Construction, Japan, available at: <http://www.sabo-int.org/guideline/pdf/driftwoodCountermeasureGuideline.pdf> (last access: 3 December 2020), 2000.
- Schalko, I.: Wood retention at inclined racks: Effects on flow and local bedload processes, *Earth Surf. Process. Land.*, 45, 2036–2047, <https://doi.org/10.1002/esp.4864>, 2020.
- Schalko, I., Schmocker, L., Weitbrecht, V., and Boes, R. M.: Backwater Rise due to Large Wood Accumulations, *J. Hydraul. Eng.*, 144, 04018056, [https://doi.org/10.1061/\(asce\)hy.1943-7900.0001501](https://doi.org/10.1061/(asce)hy.1943-7900.0001501), 2018.
- Schalko, I., Lageder, C., Schmocker, L., Weitbrecht, V., and Boes, R. M.: Laboratory flume experiments on the formation of spanwise large wood accumulations Part I: Effect on backwater rise, *Water Resour. Res.*, 55, 4854–4870, <https://doi.org/10.1029/2018wr024649>, 2019a.
- Schalko, I., Lageder, C., Schmocker, L., Weitbrecht, V., and Boes, R. M.: Laboratory flume experiments on the formation of spanwise large wood accumulations Part II: Effect on local scour, *Water Resour. Res.*, 55, 4871–4885, <https://doi.org/10.1029/2019WR024789>, 2019b.
- Schmocker, L.: Floating Debris Retention Racks at Dam Spillways, in: *Proc. 37th IAHR World Congress, Kuala Lumpur*, 2116–2123, available at: <https://www.iahr.org/library/info?pid=2700> (last access: 2 September 2020), 2017.
- Schmocker, L. and Hager, W. H.: Scale modeling of wooden debris accumulation at a debris rack, *J. Hydraul. Eng.*, 139, 827–836, [https://doi.org/10.1061/\(ASCE\)HY.1943-7900.0000714](https://doi.org/10.1061/(ASCE)HY.1943-7900.0000714), 2013.
- Schmocker, L. and Weitbrecht, V.: Driftwood: Risk analysis and engineering measures, *J. Hydraul. Eng.*, 139, 683–695, [https://doi.org/10.1061/\(ASCE\)HY.1943-7900.0000728](https://doi.org/10.1061/(ASCE)HY.1943-7900.0000728), 2013.
- Schmocker, L., Hunziker, R., Müller, U., and Weitbrecht, V.: Driftwood retention in pre-alpine rivers, in *Proceedings of the International Conference on Fluvial Hydraulics, RIVER FLOW 2014*, CRC Press/Balkema, Lausanne, Switzerland, 117–127, 2014.
- Schwindt, S., Franca, M. J., Reffo, A., and Schleiss, A. J.: Sediment traps with guiding channel and hybrid check dams improve controlled sediment retention, *Nat. Hazards Earth Syst. Sci.*, 18, 647–668, <https://doi.org/10.5194/nhess-18-647-2018>, 2018.
- Shima, J., Yoshida, K., Kawakami, Y., and Mizuyama, T.: Consideration on boulders & members' interval of open type steel sabo dam for capturing debris flow, *J. Jpn. Soc. Eros. Contr. Eng.*, 67, 3–11, [https://doi.org/10.11475/sabo.67.5\\_3](https://doi.org/10.11475/sabo.67.5_3), 2015.
- Shima, J., Moriyama, H., Kokuryo, H., Ishikawa, N., and Mizuyama, T.: Prevention and mitigation of debris flow hazards by using steel open-type sabo dams, *Int. J. Eros. Contr. Eng.*, 9, 135–144, <https://doi.org/10.13101/ijece.9.135>, 2016.
- Shrestha, B. B., Nakagawa, H., Kawaike, K., Baba, Y., and Zhang, H.: Driftwood deposition from debris flows at slit-check dams and fans, *Nat. Hazards*, 61, 577–602, <https://doi.org/10.1007/s11069-011-9939-9>, 2012.
- Stockstill, R. L., Daly, S. F., and Hopkins, M. A.: Modeling Floating Objects at River Structures, *J. Hydraul. Eng.*, 135, 403–414, [https://doi.org/10.1061/\(ASCE\)0733-9429\(2009\)135:5\(403\)](https://doi.org/10.1061/(ASCE)0733-9429(2009)135:5(403)), 2009.
- Tamagni, S., Weitbrecht, V., Müller, U., Hunziker, R., Wyss, H., Kolb, R., and Baumann, W.: Schwemmholzurückhalt Ettisbühl/Malters, *Wasser Energie Luft*, 102.4, 269–274, 2010.
- Tateishi, R., Horiguchi, T., Sonoda, Y., and Ishikawa, N.: Experimental study of the woody debris trapping efficiency of a steel pipe, open sabo dam, *Int. J. Sediment Res.*, 35, 431–443, <https://doi.org/10.1016/j.ijsrc.2020.03.011>, 2020.
- Uchiogi, T., Shima, J., Tajima, H., and Ishikawa, Y.: Design methods for woody-debris entrapment, in: *INTERPRAEVENT Conference Proceedings, Garmisch-Partenkirchen, Germany*, 279–288, 1996.
- USBR: Chapter 2: Hydrologic Considerations, in: *Design Standards No. 14 – Appurtenant Structures for Dams (Spillways and Outlet Works)*, 1–126, available at: <https://www.usbr.gov/tsc/techreferences/designstandards-datacollectionguides/finals-pdfs/DS14-2.pdf> (last access: 2 September 2020), 2013.
- Wickham, H.: *ggplot2: Elegant Graphics for Data Analysis*, Springer-Verlag, New York, available at: <https://ggplot2.tidyverse.org> (last access: 3 December 2020), 2016.
- Wohl, E., Bledsoe, B. P., Fausch, K. D., Kramer, N., Bestgen, K. R., and Gooseff, M. N.: Management of Large Wood in Streams: An Overview and Proposed Framework for Hazard Evaluation, *J. Am. Water Resour. Assoc.*, 52, 1–21, <https://doi.org/10.1111/1752-1688.12388>, 2016.
- Wohl, E., Kramer, N., Ruiz-Villanueva, V., Scott, D. N., Comiti, F., Gurnell, A. M., Piegay, H., Lininger, K. B., Jaeger, K. L., Walters, D. M., and Fausch, K. D.: The Natural Wood Regime in Rivers, *BioScience*, 69, 259–273, <https://doi.org/10.1093/biosci/biz013>, 2019.
- Zollinger, F.: Debris detention basins in the European Alps, in: *International symposium on Erosion, Debris Flow and Disaster Prevention*, vol. 1, Japan Erosion Control Engineering Society, Tsukuba, Japan, 433–438, 1985.