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Earthquake scenario in West Bengal with emphasis on seismic hazard microzonation of the city of Kolkata, India

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Abstract. Seismic microzonation is a process of estimating site-specific effects due to an earthquake on urban centers for its disaster mitigation and management. The state of West Bengal, located in the western foreland of the Assam-Arakan Orogenic Belt, the Himalayan foothills and Surma Valley, has been struck by several devastating earthquakes in the past, indicating the need for a seismotectonic review of the province, especially in light of probable seismic threat to its capital city of Kolkata, which is a major industrial and commercial hub in the eastern and northeastern region of India. A synoptic probabilistic seismic hazard model of Kolkata is initially generated at engineering bedrock $(V_s^{30} \sim 760 \,\mathrm{m \, s^{-1}})$ considering 33 polygonal seismogenic sources at two hypocentral depth ranges, 0-25 and 25-70 km; 158 tectonic sources; appropriate seismicity modeling; 14 ground motion prediction equations for three seismotectonic provinces, viz. the east-central Himalaya, the Bengal Basin and Northeast India selected through suitability testing; and appropriate weighting in a logic tree framework. Site classification of Kolkata performed following in-depth geophysical and geotechnical investigations places the city in D1, D2, D3 and E classes. Probabilistic seismic hazard assessment at a surface-consistent level – i.e., the local seismic hazard related to site amplification performed by propagating the bedrock ground motion with 10% probability of exceedance in 50 years through a 1-D sediment column using an equivalent linear analysis - predicts a peak ground acceleration (PGA) range from 0.176 to 0.253 g in the city. A deterministic liquefaction scenario in terms of spatial distribution of liquefaction potential index corresponding to surface PGA distribution places 50% of the city in the possible liquefiable zone. A multicriteria seismic hazard microzonation framework is proposed for judicious integration of multiple

themes, namely PGA at the surface, liquefaction potential index, NEHRP soil site class, sediment class, geomorphology and ground water table in a fuzzy protocol in the geographical information system by adopting an analytical hierarchal process. The resulting high-resolution surface consistent hazard, liquefaction and microzonation maps are expected to play vital roles in earthquake-related disaster mitigation and management of the city of Kolkata.

1 Introduction

Natural disasters inflicted by earthquakes cannot be prevented, nor is there any possibility in the near future for accurate and socially useful short-term prediction for an impending earthquake. The damage pattern due to an earthquake depends largely on the local site condition and the social infrastructure of the region, with the most important condition being the intensity of ground shaking at the time of an earthquake. A contrasting seismic response is observed even within a short distance over small changes in the geology of the site.

The challenge of urban hazard mapping is to predict the ground motion effects related to various source, path and site characteristics with an acceptable level of reliability. Seismic microzonation, recognized as priority area of an earthquake mitigation program, can be defined as the subdivision of a region that has relatively similar exposure to seismic shaking and accompanying environmental effects, such as surface faulting, liquefaction and landslides on the basis of different possible soil responses that can increase the damage. A seismic microzonation framework is shown in Fig. 1 along with the seismological and geological attributes. The



Figure 1. A microzonation framework for site-specific seismic hazard assessment.

scheme outlines a compilation of information related to seismicity, identification of potential seismic source zones, development of seismicity models, maximum earthquake prognosis supported by earthquake catalogs, and other relevant data such as tectonic database and ground rupture. The locallevel assessments involve mapping of surficial geological and geomorphological features, development of geotechnical database, and evaluation of different surficial soil attributes (e.g., density, rigidity, compressibility, damping, water content). Therefore, the seismic hazard microzonation framework encompasses the seismicity, seismic sources, and earthquake potential based on available historical and instrumental data covering hundreds of years, such as microand macro-seismicity, regional tectonics and neo-tectonics (faults/lineaments), geology, geohydrology, crustal structure, subsurface lithostratigraphy, ground-rupture hazard and soil liquefaction.

The state of West Bengal, India, located in the western foreland of the Assam–Arakan Orogenic Belt, the Himalayan foothills and Surma Valley is affected by sparse seismicity. However the occurrence of devastating earthquakes inside and around the region like the great 1897 Shillong earthquake of $M_{\rm w}$ 8.1, the 1950 Assam earthquake of $M_{\rm w}$ 8.7, the 1934 Bihar–Nepal earthquake of M_w 8.1, the 1964 Sagar Island earthquake of M_w 5.4, and the 2011 Sikkim earthquake of $M_{\rm w}$ 6.9 drew attention to the seismic hazard of the province. The 1934 Bihar–Nepal earthquake of $M_{\rm w}$ 8.1 inflicted considerable damage to life and property in Kolkata (GSI, 1939), adhering to the Modified Mercalli (MM) intensity of VI-VII. The near-source earthquakes reported in Kolkata include the 1906 Kolkata earthquake with MM intensity V-VI (Middlemiss, 1908), the 1885 Bengal earthquake of M_w 6.8 with MM intensity V (Martin and Szeliga, 2010), the 1935 Pabna earthquake of $M_{\rm w}$ 6.2 with MM intensity V (Martin and Szeliga, 2010) and the 1964 Sagar Island earthquake of M_w 5.4 with damage intensity of MM VI-VII in the area surrounding the city of Kolkata (Nath et al., 2010). Incidentally, none of these destructive earthquakes are reported to have caused any coseismic surface ruptures in and around Kolkata. However, the maximum intensity reported in Kolkata is MM VII, generated from both the near-source earthquake of 1964 and the distant earthquake of 1934, making the province seismically vulnerable.

The Kolkata metropolis, the focus of the present investigation, is the second largest urban agglomeration in India bounded by latitude 22°27'-22°40' N and longitude 88°18'-88°28' E. It has developed primarily along the eastern bank of the River Hooghly during the last 300+ years. The city is located about 150 km north of the Bay of Bengal, right over the Ganges Delta. The flat topography of Kolkata has an average elevation of 6.4 m a.m.s.l. (above mean sea level), the highest location is about 9.5 m at Netaji Subhas Chandra Road (Clive Street), and the lowermost place is Mechhua at an elevation of 5.5 m. The population of Kolkata, which was 1.5 million in the year 1901, had a phenomenal increase to 14 million as per the census report of 2011, thus making it one of the most densely populated regions in the world. It also supports vital industrial and transportation infrastructure. The city is situated on a sedimentary deposit with a thickness of the order of 7.5 km that is above the crystalline basement. The city is highly developed, with many old buildings, bridges, subways, tall structures, huge shopping malls, and lifeline facilities (hospitals, emergency services, etc.) that require earthquake disaster mitigation and safety regulations.

The prevailing seismic zoning map of India (BIS, 2002) prepared based on the peak ground acceleration (PGA) induced by the maximum considered earthquake (MCE) further constrained by the geologic and seismotectonic considerations, thus scaling it down to the design basis earthquake (DBE) for urban codal provisions, places the entire city of Kolkata at the boundary between zone III and IV, with an equivalent PGA range of 0.16-0.24 g. As per this zonation scheme, zone V is the highest expected level of seismic hazard, with a PGA level of 0.36 g and MM intensity of VIII (and above), while seismic zone IV corresponds to 0.24 g PGA, adhering to MM intensity VII. Further, seismic zone III corresponds to 0.16 g PGA and MM intensity VI, whereas zone II is associated with the lowest level of hazard, with a PGA level of 0.10 g and MM intensity of V (or less).

2 Geology and tectonic setting of West Bengal and its adjoining region

The Bengal Basin, in the northeastern part of the Indian subcontinent between the Indian Shield and Indo-Burman Ranges, comprises three geotectonic provinces: (1) the stable shelf, (2) the central deep basin (extending from the Sylhet Trough in the northeast towards the Hatia Trough in the south), and (3) the Chittagong–Tripura Fold Belt, as shown in Fig. 2a. The dynamic nature of the Bengal Basin can be attributed to the interaction of three plates, namely the Indian, Tibetan (Eurasian) and Burma (West Burma Block) plates. The intensity and pattern of plate-to-plate interaction varied with time, affecting the basin architecture and sedimentation style throughout the basin (Alam et al., 2003). The basin is structurally divided into five tectonic elements from northwest to southeast: (1) the North Bengal foreland, (2) basin margin fault zone (western scarp zone), (3) stable shelf, (4) hinge zone or shelf/slope break, and (5) deep basin, as shown in Fig. 2a and the W-E geological cross section in Fig. 2b. The most prominent tectonic feature in the Bengal Basin is the NE-SW-trending Eocene Hinge Zone (EHZ), also known as the Calcutta-Mymensing Hinge Zone, which is 25 km wide and extends to a depth of about 4.5 km below Kolkata, reportedly triggered an earthquake of magnitude $M_{\rm w}$ 6.2 in 1935, with the epicenter at lat 24°255′ N, long 89°495' E, that mostly affected Bangladesh, but a prolonged tremor was felt at Kolkata. The EHZ is covered by an upper Paleozoic to Holocene sedimentary fill to a maximum thickness of about 7.5 km. The other major tectonic features of this region are the Garhmoyna-Khandaghosh Fault, Jangipur–Gaibandha Fault, Pingla Fault, Debagram–Bogra Fault, Rajmahal Fault, Malda-Kishanganj Fault, Sainthia-Bahmani Fault, Purulia Shear Zone, main boundary thrust, main central thrust, Tista Lineament, and Purulia Lineament, as depicted in Fig. 2a. In the region of Northeast India, major faults, such as the Dauki Fault, Oldam Fault and Dhubri Fault, marking the boundary of the strikingly elevated Shillong Plateau also pose a seismic threat to West Bengal and in particular Kolkata.

3 Probabilistic seismic hazard assessment (PSHA) framework for Kolkata at engineering bedrock

3.1 Seismogenic source definition in the region

A successful seismogenic source definition requires a declustered homogeneous earthquake catalog of the study region. We therefore prepared an earthquake catalog of the Bengal Basin and the adjoining region spanning the 1900-2012 period by considering three major earthquake data sources, namely the International Seismological Centre (ISC, http: //www.isc.ac.uk), the US Geological Survey/National Earthquake Information Center (USGS/ NEIC, http://neic.usgs. gov.us), and the Global Centroid Moment Tensor Project (GCMT, http://www.globalcmt.org), wherein the hypocentral depth entries have been computed using the algorithm given by Engdahl et al. (1998). Other data sources used include the India Meteorological Department (IMD, http: //www.imd.ernet.in), and Jaiswal and Sinha (2004). For uniform magnitude scaling and establishing data homogeneity for meaningful statistical analysis, M_w is preferred owing to its applicability for all ranges of earthquakes, i.e., for large or small, far or near, and shallow- or deep-focus earthquakes. Thereafter, the entire catalog has been declustered to remove foreshocks and aftershocks to derive a main-shock catalog accessible at http://www.earthqhaz.net/sacat/. The fault database is compiled with a geographical information system (ArcGIS 9.1). The sources include seismotectonic map of India published by the Geological Survey of India (Dasgupta et al., 2000) and the one extracted from Landsat TM/MSS and



Figure 2. (a) Seismotectonic system of West Bengal and its adjoining region (lat 19.6 to 28.3° N, long 85.4 to 92.9° E) (modified considering Dasgupta et al., 2000; USGS-BGAT, 2001; and GSB, 1990) and (b) a W–E geological cross section depicting the lithostratigraphy and structural setting of the Bengal Basin (modified from Alam et al., 2003).

SRTM data. To characterize the seismogenic sources responsible for significantly contributing to the seismic hazard of Kolkata, the earthquakes from the catalog supplemented by records of historical earthquakes (occurring prior to 1900 and as early as AD 819) and instrumental data covering a period from 1900–2012 are projected with the fault pattern in the region. Thus, in the present study, we classified seismogenic sources based on two categories, viz. (a) layered polygonal sources and (b) active tectonic sources.

3.1.1 Layered polygonal seismogenic source zones

A popular approach in the seismogenic localization process is the areal source zonation, wherein the objective is to capture uniform seismicity. The seismicity pattern and seismogenic source dynamics are known to have significant variations with depth (e.g., Prozorov and Dziewonski, 1982; Christova, 1992; Tsapanos, 2000; Allen et al., 2004; Nath and Thingbaijam, 2012). This has been considered by scientists in other parts of the globe (e.g., Stirling et al., 2002;



Figure 3. A layered polygonal seismogenic source framework for West Bengal and its adjoining region modified after Nath and Thingbaijam (2012) for PSHA (a) hypocentral depth of 0-25 km and (b) hypocentral depth of 25-70 km.

Suckale and Grünthal, 2009). Hence, considering a single set of seismicity parameters over the entire depth range may generate an incorrect hazard estimation. Based on the hypocentral depth of seismicity in this region, two hypocentral depth ranges (in kilometers) -0-25 and 25-70 – are considered. Thereafter, the zonation is carried out based on seismicity patterns, fault networks and similarity in the style of focal mechanisms (e.g., Cáceres et al., 2005) demarcating 33 source zones as depicted in Fig. 3. The layered model is expected to facilitate in resolving the source characteristics more precisely than the conventional single-layer schemes considered hitherto by other authors.

In real situations, it is difficult at times to establish a definite tectonic class for a given zone. While the source zonation becomes a case of tectonic dismantling, reduced seismogenic zone dimensions with sparse earthquake occurrences would obscure seismicity parameterization. In that respect, seismicity smoothing or a zone-free approach is considered pragmatic to account for the absence of fault associability while adhering to the spatial distribution of earthquake occurrences. This complies with the fact that the locations of future large earthquakes tend to follow those of the past seismicity (Kafka, 2007; Parsons, 2008). The approach has been in vogue since the works of Vere-Jones (1992), Kagan and Jackson (1994) and Frankel (1995). Recent studies have employed seismicity smoothing for small to moderate earthquakes and fault-specific zonation for larger earthquakes (e.g., Petersen et al., 2008; Kalkan et al., 2009). Alternatively, a unified approach can be formulated such that seismicity models based on area zonation are employed for the estimation of b values and m_{max} , while seismicity smoothing is used to establish the distribution of the seismic activity rate. This delineates the grid cells according to regions of homogenous seismotectonic characteristics. Eventually, the

methodology adopted in the present study can be outlined as (1) delineation of areal source zones, (2) derivation of a seismicity model for each zone, and (3) application of a seismicity-smoothing algorithm to obtain activity rates for specific threshold magnitudes.

3.1.2 Active tectonic source zones

Additional seismic sources considered are the active tectonic features such as faults and lineaments (Azzaro et al., 1998; Slemmons and McKinney, 1977). As discussed earlier, the Bengal Basin encompasses many active faults and lineaments which can be considered potential sources contributing to the seismic hazard of the region. In the present study, active tectonic features are extracted from the seismotectonic atlas of India (Dasgupta et al., 2000), and additional features are extracted via image processing of Landsat TM data (http://glovis.usgs.gov/) through edge enhancement filtering and principal component analysis. The focal mechanism data employed in the present study are derived from the Global Centroid Moment Tensor Project (GCMT, www.globalcmt. org) database, covering the period from 1976 to 2012, and other studies, viz. Dasgupta et al. (2000), Chandra (1977), Singh and Gupta (1980) and Bilham and England (2001). Therefore, we have identified about 158 tectonic features (i.e., faults and lineaments) in the 0-25 and 25-70 km depth ranges that have the potential to generate earthquakes of $M_{\rm w}$ 3.5 and above. Figure 4 depicts major active tectonic sources of West Bengal and its adjoining region.

The deterministic assessment of characteristic earthquakes, viz. maximum earthquakes from a fault, is generally achieved by means of a relationship between earthquake magnitude and coseismic subsurface fault rupture length. The primary method used to estimate subsurface rupture

Fault name	TFL	M _{max,obs}	Fault type	RLD	M _{max}
Pyudung Thrust Fault	172	5.1	Reverse	46	7.0 (±0.26)
Main boundary thrust	725	6.6	Reverse	74	7.3 (±0.26)
Dhubri Fault	248	7.1	Reverse	175	7.8 (±0.26)
Atherkhet Fault	143	5.2	Strike slip	20	6.3 (±0.24)
Dhansiri–Kopili Fault	142	4.8	Strike slip	25	6.4 (±0.24)
Bomodila Fault	83	4.9	Reverse	34	6.8 (±0.26)
Kalaktang Fault	105	5.2	Reverse	18	6.4 (±0.26)
Sylhet Fault	234	7.6	Strike slip	198	7.8 (±0.24)
Pyudung Fault	142	5.6	Reverse	24	6.5 (±0.26)
Main central thrust	468	6.5	Reverse	123	7.6 (±0.26)
Main frontal thrust	103	5.3	Reverse	23	6.5 (±0.26)
Eocene Hinge	608	6.2	Strike slip	47	6.8 (±0.24)
Dauki Fault	342	7.1	Strike slip	110	7.4 (±0.24)
Everest Lineament	324	5.2	Strike slip	35	6.6 (±0.24)
Gourishankar Lineament	293	5.6	Strike slip	63	7.0 (±0.24)
Tista Lineament	257	5.5	Strike slip	70	7.1 (±0.24)
Gangtok Lineament	44	5	Strike slip	19	6.2 (±0.24)
Arun Lineament	265	6.8	Oblique reverse	65	7.2 (±0.26)
Himalayan Frontal Thrust	387	8.1	Reverse	335	8.3 (±0.26)
Krishnai Lineament	80	4.9	Strike slip	17	6.1 (±0.24)
Jangipur–Gaibanda Fault	48	4.1	Strike slip	4.9	5.3 (±0.24)
Jamuna Fault	124	6.8	Strike slip	80	7.2 (±0.24)

Table 1. A list of major active tectonics which are considered to be seismic sources, along with total fault length (TFL), observed maximum earthquake ($M_{max,obs}$), subsurface rupture length (RLD), and estimated maximum earthquake (M_{max}) in Kolkata and adjoining regions.



Figure 4. Major active tectonic sources of West Bengal and its adjoining region.

length and rupture area is the spatial pattern of early aftershocks (Wells and Coppersmith, 1994). Aftershocks that occur within a few hours to a few days of the mainshock generally define the maximum extent of coseismic fault rupture (Kanamori and Anderson, 1975; Dietz and Ellsworth, 1990; Wong et al., 2000). Basically, an aftershock zone roughly corresponds to the fault ruptured during the mainshock; precise studies indicate that aftershocks are concentrated near the margin of the fault area where the large displacement occurred (e.g., Das and Henry, 2003; Utsu, 2002). The general assumption, based on worldwide data, is that one-third to one-half of the total length of fault would rupture when it generates the maximum earthquake (Mark, 1977; Kayabalia and Akin, 2003; Shukla and Choudhury, 2012; Seyrek and Tosun, 2011). In the present study, the fault rupture segmentation was identified using the maximum length of the well-defined mainshock and aftershock zone along the faults (Besana and Ando, 2005; Utsu, 2002; Wells and Coppersmith, 1994); thereafter a GIS-based on-screen digitization method was used for the estimation of subsurface rupture length of each active tectonic feature. The maximum credible earthquake has been estimated using the relationship given by Wells and Coppersmith (1994) based on subsurface fault rupture dimension and magnitude. Table 1 lists some major active tectonic sources, their total length (TFL), the associated observed maximum earthquakes $(M_{\text{max,obs}})$, the subsurface rupture length (RLD) and the maximum predicted earthquake (M_{max}) .

3.2 Seismicity analysis

The evaluation of seismicity parameters is one of the most important steps for hazard estimation. Earthquake occurrences across the globe follow the Gutenberg–Richter (GR) relationship,

$$\log_{10}\lambda(m) = a - bm,\tag{1}$$

where $\lambda(m)$ is the cumulative number of events with magnitude $\geq m$ (Gutenberg and Richter, 1944). The slope parameter, commonly referred to as the *b* value, is often employed as an indicator of the stress regime in the tectonic reinforcements, and to characterize seismogenic zones (Schorlemmer et al., 2005). The maximum likelihood method to estimate the *b* value given by Aki (1965) and Utsu (1965) is as follows:

$$b = \frac{\log_{10}(e)}{\left[m_{\text{mean}} - \left(m_t - \frac{\Delta m}{2}\right)\right]},\tag{2}$$

where m_{mean} is the average magnitude, m_t is the minimum magnitude of completeness, and Δm is the magnitude bin size (0.1 in the present study). The standard deviation of the b value (δb) has been computed by means of the bootstrapping method, as suggested by Schorlemmer et al. (2003), which involves repeated computations, each time employing a redundant data sample, allowing events drawn from the catalog to be selected more than once. A minimum magnitude constraint is generally applied on the GR relation given by Eq. (1) on the basis of the magnitude of completeness entailed by the linearity of the GR relation on the lower magnitude range. An upper magnitude has been suggested in accordance with physical dissipation of energy and constraints due to the tectonic framework (Kijko, 2004). This is achieved by establishing the maximum earthquake m_{max} physically capable of occurring within a defined seismic regime in an underlying tectonic setup. The magnitude distribution is therefore truncated at m_{max} such that $m_{\text{max}} \gg m_{\text{min}}$. A modified version of Eq. (1) formulated by Page (1968) and Cornell and Vanmarcke (1969) is a truncated exponential distribution termed as truncated Gutenberg-Richter (TGR) frequencymagnitude relationship as follows:

$$\lambda(m) = \lambda(m_{\min}) \frac{10^{-b(m-m_{\min})} - 10^{-b(m_{\max}-m_{\min})}}{1 - 10^{-b(m_{\max}-m_{\min})}},$$
(3)

where m_{\min} is minimum magnitude and m_{\max} is an upperbound magnitude. The maximum earthquake (M_{\max}) is the largest seismic event characteristic of the terrain under the tectonostratigraphic consideration. The *b* value and *a* value are estimated by applying the maximum likelihood method (Aki, 1965; Utsu, 1965) on the instrumental catalog. The incomplete data (including the historical data) are rendered return periods according to the models, namely the GR and truncated GR (TGR) models. The linear GR relation can statistically accommodate large events if the seismic source



Figure 5. Representative frequency-magnitude distribution plots at some typical polygonal seismogenic sources: zones 4+5 and zones 8+9. The red line represents truncated Gutenberg–Richter (TGR) relation; the blue line represent the Gutenberg–Richter (GR) relation; and the circles and squares represent the instrumental events (complete data coverage) and incomplete data (including the historical data as extreme data coverage), respectively.

zone is of appropriate size and the temporal coverage of the catalog is also long enough; the TGR model is assumed to be more appropriate considering the energy dissipations at larger magnitudes. For polygonal sources, a maximum like-lihood method for maximum earthquake estimation referred to as Kijko–Sellevoll-Bayesian (Kijko, 2004) has been used. In several cases, zones with similar tectonics are merged to achieve a sufficient number of events, i.e., \geq 50, as well as an acceptable uncertainty with the estimated seismicity parameters. This produced 21 zones out of a total of 33. Sample frequency–magnitude distribution plots for a few polygonal seismogenic sources are given in Fig. 5. The seismicity parameters estimated for all the polygonal seismogenic sources are listed in Table 2.

3.3 Smoothed seismicity model

The contribution of background seismicity in the hazard perspective is estimated using smoothened gridded seismicity models. This allows modeling for of discrete earthquake distributions into spatially continuous probability distributions. The technique given by Frankel (1995) is employed in the present study. The entire region is gridded at a regular interval of 0.1°, with each grid point encompassing a cell of $0.1^{\circ} \times 0.1^{\circ}$, which represents about 11 km². The smoothened function is given by

$$N_{i}(m_{\rm r}) = \frac{\sum_{j} n_{j}(m_{\rm r}) e^{-(d_{ij}/c)^{2}}}{\sum_{j} e^{-(d_{ij}/c)^{2}}},$$
(4)

where $n_j(m_r)$ is the number of events with magnitude $\geq m_r$, d_{ij} is the distance between *i*th and *j*th cells, and *c* denotes the correlation distance. The annual activity rate λ_{m_r} is computed each time as $N_i(m_r)/T$, where *T* is the (sub)catalog period. The present analyses make use of subcatalogs for the periods 1990–2012, 1964–2012 and 1903–2012, with threshold

Zone	b value	a value	<i>M</i> _{max} (predicted)	Observed (M_{max})
Zone 1	0.73 (±0.14)	3.02 (±0.59)	7.70 (±0.40)	6.9
Zone 2	0.82 (±0.12)	3.54 (±0.45)	8.80 (±0.20)	8.1
Zone 3	0.54 (±0.07)	1.96 (±0.36)	8.30 (±0.30)	6.2
Zone $4+5$	0.75 (±0.08)	3.30 (±0.08)	8.50 (±0.30)	6.5
Zone $6 + 7 + 11$	0.84 (±0.16)	3.22 (±0.59)	7.20 (±0.30)	6.8
Zone $8+9$	0.99 (±0.13)	4.25 (±0.56)	7.90 (±0.30)	7.4
Zone 10	0.65 (±0.14)	2.00 (±0.32)	7.00 (±0.40)	5.5
Zone 12	0.77 (±0.10)	2.96 (±0.63)	8.80 (±0.40)	7.4
Zone 13 + 14	0.63 (±0.15)	2.32 (±0.63)	8.20 (±0.40)	6.4
Zone 15	0.99 (±0.18)	4.16 (±0.41)	8.20 (±0.40)	5.6
Zone $16 + 17 + 26 + 31 + 32$	0.57 (±0.15)	1.64 (±0.45)	6.80 (±0.30)	5.8
Zone 18	1.31 (±0.15)	5.93 (±0.50)	7.10 (±0.30)	6.0
Zone 19	0.88 (±0.14)	3.91 (±0.32)	8.30 (±0.20)	6.8
Zone 20	0.93 (±0.13)	3.95 (±0.32)	8.30 (±0.20)	6.5
Zone 21 + 33	0.98 (±0.09)	4.44 (±0.32)	8.30 (±0.20)	7.7
Zone $22 + 23 + 27$	0.92 (±0.13)	3.77 (±0.50)	6.50 (±0.30)	6.2
Zone 24	0.91 (±0.07)	3.93 (±0.45)	8.30 (±0.20)	8.1
Zone 25	1.21 (±0.15)	5.35 (±0.54)	7.20 (±0.40)	5.8
Zone 28	0.99 (±0.13)	4.41 (±0.63)	8.80 (±0.40)	7.6
Zone 29	1.06 (±0.10)	4.83 (±0.41)	7.90 (±0.40)	6.2
Zone 30	0.98 (±0.10)	4.65 (±0.41)	7.90 (±0.40)	6.5

Table 2. Estimated seismicity parameters for all the polygonal seismogenic sources considered for PSHA in Kolkata.



Figure 6. Smoothed seismicity in West Bengal and its adjoining region for a threshold magnitude of M_w 3.5 at two hypocentral depth regions (0–25 and 25–70 km) indicating the seismic activity distribution (frequency of occurrence of a magnitude $M_w \ge 3.5$ per year considering an earthquake catalog of the region for the period 1900–2012).

magnitudes of M_w 3.5, 4.5 and 5.5, respectively, as summarized in Table 3. Correlation distances of 55, 65 and 85 km are decided for the respective cases by calibrating the outputs from several runs of the algorithm with the observed seismicity. The smoothened seismicity analysis is performed for the threshold magnitudes of M_w 3.5, 4.5 and 5.5, with the results of M_w 3.5 at the hypocentral depth ranges 0–25 and 25–70 km being displayed in Fig. 6. Likewise, the seismic activity rates for each active tectonic source within a 25 km buffer around each are also computed using the threshold magnitudes of M_w 3.5, 4.5 and 5.5 at both the hypocentral depth ranges.



Figure 7. Recorded accelerograms and comparison of the observed and simulated acceleration spectra of (**a**) the 13 December 2005 earthquake of M_w 4.0, (**b**) the 6 February 2008 earthquake of M_w 4.9 recorded at the IIT Kharagpur (IITKGP) Broadband Observatory for the Bengal Basin seismogenic source, (**c**) the 18 September 2011 Sikkim earthquake of M_w 6.9 recorded at Gangtok, (**d**) the Siliguri strong motion station of DSSMN for the east-central Himalaya seismogenic source, (**e**) the 18 August 2009 Myanmar–India border earthquake of M_w 5.6 recorded at Guwahati, and (**f**) the 4 February 2011 Myanmar–India border earthquake of M_w 6.4 recorded at the Jowai strong motion station of PESMOS (http://pesmos.in) for the Northeast India seismogenic source.

Table 3. The subcatalogs for the three different threshold magnitudes considered for the construction of seismicity grids.

Depth range	Subcatalog (threshold magnitude)								
(km)	<i>M</i> _w 3.5	$M_{\rm W} 4.5$	<i>M</i> _w 5.5						
0–25 25–70	1990–2012 1990–2012	1964–2012 1964–2012	1903–2012 1902–2012						

3.4 Ground motion prediction equations

The ground motion parameters at a site of interest are evaluated by using a ground motion prediction equation that relates a specific strong motion parameter of ground shaking to one or more seismic attributes (Campbell and Bozorgnia, 2003). In the study region, a strong motion network recorded several moderate intensity earthquakes (Nath, 2004; Pal et al., 2008; Raj et al., 2008) from the near and distant fields from within the Bengal Basin, east-central Himalaya and Northeast India. Due to paucity of good magnitude coverage of strong ground motion data, analytical or numerical approaches for a realistic prognosis of possible seismic effects in terms of tectonic regime, earthquake size, local geology, and near-fault conditions necessitate systematic ground motion database, the seismic events of small to moderate magnitude recorded by the Darjeeling–Sikkim strong motion network (DSSMN) of IIT Kharagpur, PESMOS (http://pesmos.in) of IIT Roorke, the IIT Guwahati strong motion network in the

Table 4.	Parameters	used for	strong	ground	motion	simul	ation*
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Parameter	East-central Himalaya source zone	Bengal Basin source zone	Northeast India source zone
Strike	285°	232°	112°
Dip	6°	32°	50°
Focal depth (km)	20	35.9	35
Source (location)	27.55° N, 87.09° E	21.6° N, 88.07° E	26.0° N, 91.0° E
Stress (bar)	275	30	159
Crustal density (g cm $^{-3}$)	2.7	2.7	2.7
Shear wave velocity (β) (km s ⁻¹)	3.8	3.8	3.8
Quality factor	$167 f^{0.47}$	$400 f^{0.48}$	$372 f^{0.72}$
Kappa	0.02	0.02	0.02
Geometrical spreading	$1/R \ (R < 10)$	0 km), $1/R^{0.5}$ ($R > 1$	00 km)
Windowing function	Sarag	goni and Hart (1974)	
Damping		5 %	

* Source parameters have been adopted from Nath et al. (2010).



Figure 8. Scatterplot of the recorded and the synthesized PGA values for a wide magnitude range of $M_{\rm W}$ 3.9 to 6.9 considered in all the three seismogenic sources, viz. the Bengal Basin, the east-central Himalaya and Northeast India.

Northeast India, and the IIT Kharagpur Broadband Seismological Observatory have been combined with the simulated ones. There are several algorithms available for ground motion synthesis. However, finite-fault stochastic method is considered to be best suited over a large fault rupture distance and the source characteristics for near-field approximation. In order to create a strong ground motion database, we simulated earthquakes of M_w 3.5 to the maximum credible earthquake magnitude in the three tectonic provinces, namely the east-central Himalaya, the Bengal Basin and Northeast India, at M_w 0.2 intervals with the source functions given in Table 4 and using the EXSIM stochastic simulation package developed by Motazedian and Atkinson (2005). Figure 7 exhibits a satisfactory agreement between the recorded and the simulated acceleration spectra of (1) the 13 December 2005 earthquake of $M_{\rm w}$ 4.0 and the 6 February 2008 earthquake of M_w 4.9 both recorded at IIT Kharagpur Broadband Seismological Observatory for the Bengal Basin seismogenic source (Fig. 7a and b); (2) the 18 September 2011 Sikkim earthquake of M_w 6.9 recorded at Gangtok and Siliguri strong motion stations of DSSMN for the east-central Himalaya seismogenic source (Fig. 7c and d); (3) the 18 August 2009 Myanmar–India border earthquake of M_w 5.6 recorded at Guwahati; and (4) the 4 February 2011 Myanmar-India border earthquake of M_w 6.4 recorded at Jowai strong motion station of PESMOS for the Northeast India seismogenic source (Fig. 7e and f). Furthermore, a scatterplot shown in Fig. 8 between the recorded and the synthesized PGA values for a wide magnitude range of M_w 3.9 to 6.9 considering all the three seismogenic sources, viz. the Bengal Basin, the east-central Himalaya and Northeast India, depicts a 1:1 correspondence, establishing the efficacy of earthquake synthesis and its utility in conjunction with the recorded ones in the creation of a significant strong ground motion database for working out the next-generation attenuation (NGA) models in the present study for probabilistic seismic hazard assessment of the region. Thereupon, nonlinear regression analyses were performed for different shaking parameters, Y (i.e., PGA, PGV and PSA at different periods), following least-squares error minimization to estimate the coefficients of NGA models following Atkinson and Boore (2006) and Campbell and Bozorgnia (2003) as given in Eqs. (5) and (6), respectively, for the three major tectonic provinces, viz. the east-central Himalaya, the Bengal Basin and Northeast India.

a. The Atkinson and Boore (2006) (BA 06) model:

$$\log Y = C_1 + C_2 M + C_3 M^2 + (C_4 + C_5 M) f_1$$
(5)
+ (C_6 + C_7 M) f_2 + (C_8 + C_9 M) f_0 + C_{10} R_{cd},

where

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Table 5. Regression coefficients considering the Atkinson and Boore (2006) (BA 06) NGA model for three tectonic regimes.

PSA (s)	<i>C</i> ₁	<i>C</i> ₂	<i>C</i> ₃	C_4	<i>C</i> ₅	<i>C</i> ₆	<i>C</i> ₇	<i>C</i> ₈	<i>C</i> 9	<i>C</i> ₁₀	SD (δ)
				Eas	t-central	Himalaya s	source				
0.05	0.628	0.798	-0.049	-1.256	0.061	-1.767	0.254	0.539	-0.198	-0.0039	0.208
0.08	0.680	0.753	-0.043	-0.970	0.030	-1.535	0.301	0.514	-0.181	-0.0047	0.257
0.1	0.919	0.730	-0.044	-1.286	0.070	-2.480	0.315	0.337	-0.147	-0.0036	0.205
0.2	1.080	0.717	-0.049	-1.388	0.112	-2.153	0.351	0.806	-0.156	-0.0049	0.175
0.3	1.073	0.730	-0.050	-2.093	0.201	-1.070	0.218	-0.110	-0.040	-0.0042	0.160
0.5	0.114	0.954	-0.065	-2.159	0.209	-1.222	0.231	0.884	-0.185	-0.0039	0.159
1	-1.306	1.281	-0.089	-2.309	0.231	-0.785	0.199	0.826	-0.182	-0.0036	0.164
2	-4.666	2.061	-0.138	-2.343	0.220	-0.093	0.112	0.952	-0.207	-0.0035	0.157
5	-8.522	2.741	-0.166	-2.120	0.194	-0.080	0.099	0.979	-0.217	-0.0035	0.156
PGA	0.724	0.674	-0.044	-1.070	0.074	-1.510	0.281	2.052	-0.357	-0.0054	0.201
PGV	-0.669	0.840	-0.049	-1.898	0.129	-2.107	0.389	0.085	-0.112	-0.004	0.117
					Bengal	Basin sourc	e				
0.05	3.428	0.221	-0.033	-2.828	0.328	-0.936	0.231	-2.128	0.263	-0.0053	0.131
0.08	3.368	0.206	-0.030	-2.701	0.319	1.569	-0.040	-2.189	0.291	-0.0059	0.132
0.1	3.159	0.272	-0.029	-2.666	0.291	0.426	0.020	-2.002	0.232	-0.0051	0.128
0.2	3.081	0.296	-0.031	-2.725	0.308	1.260	-0.014	-2.076	0.213	-0.0057	0.142
0.3	2.705	0.304	-0.028	-2.449	0.274	1.107	0.022	-2.086	0.246	-0.0054	0.124
0.5	2.095	0.396	-0.032	-2.476	0.278	1.397	-0.026	-2.174	0.232	-0.0051	0.137
1	1.148	0.580	-0.045	-2.443	0.274	1.163	-0.022	-2.445	0.292	-0.0045	0.142
2	-1.622	0.942	-0.049	-2.205	0.235	1.107	-0.021	-2.224	0.271	-0.0041	0.143
5	-1.726	0.862	-0.047	-2.280	0.254	1.099	-0.025	-2.290	0.289	-0.0042	0.181
PGA	0.515	0.614	-0.042	-1.041	0.107	-1.090	0.204	2.977	-0.406	-0.0063	0.153
PGV	1.543	0.275	-0.027	-2.692	0.294	0.627	0.057	0.085	-0.069	-0.0048	0.171
					Northeas	t India sour	rce				
0.05	0.770	0.650	-0.032	-1.077	0.060	0.592	0.141	0.090	-0.098	-0.0069	0.112
0.08	0.666	0.662	-0.032	-0.917	0.039	0.822	0.095	0.214	-0.121	-0.006	0.112
0.1	0.698	0.666	-0.031	-1.016	0.047	0.860	0.088	0.337	-0.147	-0.0059	0.108
0.2	0.789	0.676	-0.032	-1.028	0.046	0.494	0.086	0.606	-0.166	-0.0058	0.116
0.3	0.703	0.721	-0.039	-1.121	0.058	0.298	0.088	0.610	-0.159	-0.0054	0.109
0.5	0.470	0.730	-0.032	-1.283	0.054	0.654	0.045	0.388	-0.175	-0.0049	0.116
1	-0.325	0.751	-0.035	-1.163	0.080	0.483	0.068	0.826	-0.162	-0.0044	0.161
2	-0.609	0.581	-0.018	-0.966	0.061	0.463	0.071	0.952	-0.177	-0.0041	0.227
5	-0.683	0.521	-0.011	-1.055	0.051	0.710	-0.068	-0.179	-0.077	-0.0034	0.138
PGA	0.743	0.680	-0.040	-1.270	0.073	-1.460	0.226	0.446	-0.122	-0.0041	0.378
PGV	-0.423	0.731	-0.045	-1.749	0.146	0.202	0.223	0.085	-0.069	-0.0056	0.116

$$f_0 = \max \left(\log \left(R_0 / R_{cd} \right), 0 \right); f_1 = \min \left(\log R_{cd}, \log R_1 \right),$$

$$f_2 = \max \left(\log \left(R_{cd} / R_2 \right), 0 \right); R_0 = 10; R_1 = 70; R_2 = 140.$$

"*M*" is the moment magnitude and " R_{cd} " is the closest distance to the fault. The obtained regression coefficients for the three main tectonic provinces using this NGA model (Eq. 5) are given in Table 5.

b. The Campbell and Bozorgnia (2003) (CB 03) model

$$\ln Y = c_1 + f_1(M_w) + c_4 \ln \sqrt{f_2(M_w, r_{seis}, S)} + f_3(F) + f_4(S),$$
(6)

where

$$f_{1}(M_{w}) = c_{2}M_{w} + c_{3}(8.5 - M_{w})^{2},$$

$$f_{2}(M_{w}, r_{seis}, S) = r_{seis}^{2} + g(S)^{2}
\left(\exp\left[c_{8}M_{w} + c_{9}(8.5 - M_{w})^{2} \right] \right)^{2},$$

$$g(S) = c_{5} + c_{6}(S_{VFS} + S_{SR}) + c_{7}S_{FR},$$

$$f_{3}(F) = c_{10}F_{RV} + c_{11}F_{TH},$$

$$f_{4}(S) = c_{12}S_{VFS} + c_{13}S_{SR} + c_{14}S_{FR}.$$

 $S_{\text{VFS}} = 1$ (very firm soil), $S_{\text{SR}} = 1$ (soft rock), $S_{\text{FR}} = 1$ (firm rock), $S_{\text{VFS}} = S_{\text{SR}} = S_{\text{FR}} = 0$ (firm soil), $F_{\text{TH}} = 1$ (thrust faulting), $F_{\text{RV}} = 1$ (reverse), $F_{\text{RV}} = F_{\text{TH}} = 0$ (strike slip and normal). M_{w} represents moment

Table 6.	Regression	coefficients	considering the	Campbell a	nd Bozorgnia	(2003) (CB	03) NGA	model for three	tectonic regimes.
						- (

PSA (s)	<i>C</i> ₁	<i>C</i> ₂	<i>C</i> ₃	<i>C</i> ₄	C ₅	<i>C</i> ₆	<i>C</i> ₇	<i>C</i> ₈	<i>C</i> 9	<i>C</i> ₁₀	<i>C</i> ₁₁	<i>C</i> ₁₂	<i>C</i> ₁₃	<i>C</i> ₁₄	$SD(\delta)$
						East-ce	entral Hima	laya sour	ce						
0.05	-3.104	0.970	-0.034	-1.547	0.0106	-0.0039	0.052	0.809	0.084	0.479	0.436	-0.144	0.088	0.242	0.287
0.08	-3.046	0.865	0.064	-1.251	0.1221	-0.0051	-0.063	0.710	0.041	0.203	0.292	-0.151	0.143	-0.238	0.281
0.1	-3.133	0.882	0.063	-1.231	0.1449	-0.0051	-0.079	0.719	0.034	0.305	0.372	-0.142	0.196	-0.289	0.279
0.2	-2.902	0.861	0.066	-1.261	0.1395	-0.0045	-0.041	0.654	0.045	0.570	0.522	-0.146	0.247	-0.300	0.273
0.3	-2.614	0.952	0.064	-1.459	0.128	-0.0003	-0.025	0.751	0.040	0.290	0.334	-0.123	0.302	-0.238	0.372
0.5	-3.122	0.742	-0.109	-1.070	0.2801	-0.0003	-0.251	0.791	-0.140	0.474	0.518	-0.123	0.294	-0.070	0.537
1	-3.689	0.780	-0.110	-1.059	0.2716	0	-0.206	0.788	-0.176	0.326	0.335	-0.072	0.257	-0.239	0.492
2	-4.013	0.721	-0.142	-1.153	0.294	0	-0.226	0.729	-0.168	0.414	0.445	-0.121	0.246	-0.234	0.360
5	-4.847	0.757	-0.129	-1.243	0.2807	0	-0.214	0.726	-0.170	0.275	0.299	-0.151	0.149	-0.204	0.430
PGA	-3.777	1.101	0.037	-1.586	0.0108	-0.005	-0.096	0.759	0.108	0.544	0.536	-0.123	-0.082	-0.293	0.352
PGV	-0.781	1.134	0.030	-1.272	0.0361	-0.005	-0.017	0.822	0.149	0.343	0.351	-0.123	0.476	-0.625	0.374
						Be	ngal Basin	source							
0.05	-4.732	1.040	0.046	-1.212	0.0458	-0.005	-0.080	0.784	0.096	0.243	0.333	-0.150	-0.272	-0.284	0.244
0.08	-2.852	0.837	0.056	-1.271	0.1261	-0.005	-0.068	0.779	0.044	0.243	0.333	-0.150	-0.082	-0.294	0.335
0.1	-2.582	0.812	0.039	-1.258	0.1464	-0.009	-0.060	0.674	0.093	0.224	0.313	-0.146	-0.184	-0.289	0.329
0.2	-3.296	0.950	0.021	-1.276	0.103	-0.014	-0.036	0.746	0.059	0.296	0.342	-0.148	-0.288	-0.264	0.318
0.3	-4.377	0.987	0.004	-1.192	0.0208	-0.002	-0.004	0.888	0.068	0.406	0.479	-0.123	0.229	-0.142	0.390
0.5	-4.694	1.027	0.029	-1.164	0.0228	-0.007	-0.046	0.874	0.100	0.216	0.279	-0.173	-0.108	-0.279	0.336
1	-3.440	0.762	-0.036	-1.175	0.0298	0	-0.065	0.786	0.097	0.329	0.338	-0.073	-0.149	-0.235	0.306
2	-4.737	0.757	-0.094	-0.939	0.0182	0	-0.041	0.854	0.012	0.060	0.064	-0.124	-0.212	-0.212	0.277
5	-5.777	0.733	-0.142	-0.857	0.0124	0	-0.019	0.876	0.126	0.061	0.057	-0.054	-0.597	-0.225	0.225
PGA	-4.734	1.027	0.031	-1.294	0.0228	-0.002	-0.092	0.744	0.110	0.406	0.479	-0.123	-0.108	-0.279	0.356
PGV	-0.540	1.086	0.023	-1.209	0.0408	-0.005	-0.015	0.828	0.144	0.343	0.351	-0.123	-0.645	-0.796	0.373
						Nor	theast Indi	a source							
0.05	-2.184	0.767	0.036	-1.347	0.0896	-0.004	-0.049	0.789	0.088	0.274	0.334	-0.140	0.678	-0.231	0.269
0.08	-2.276	0.800	0.065	-1.348	0.114	-0.005	-0.067	0.790	0.057	0.302	0.392	-0.150	0.234	-0.222	0.269
0.1	-2.403	0.825	0.062	-1.295	0.1239	-0.009	-0.059	0.709	0.068	0.201	0.290	-0.146	0.485	-0.250	0.264
0.2	-2.152	0.840	0.034	-1.346	0.0925	-0.014	-0.041	0.743	0.085	0.374	0.320	-0.148	0.456	-0.280	0.256
0.3	-2.398	0.899	0.030	-1.470	0.0906	-0.002	-0.047	0.821	0.061	0.482	0.455	-0.123	0.458	-0.213	0.346
0.5	-2.182	0.798	-0.036	-1.324	0.0806	-0.002	-0.047	0.791	0.081	0.226	0.327	-0.123	0.494	-0.257	0.445
1	-3.260	0.810	-0.052	-1.211	0.084	0	-0.046	0.801	0.095	0.243	0.252	-0.073	0.335	-0.251	0.456
2	-4.129	0.585	-0.096	-0.903	0.0788	0	-0.047	0.750	0.086	0.403	0.407	-0.124	0.556	-0.244	0.336
5	-4.797	0.578	-0.099	-0.954	0.06107	0	-0.092	0.766	0.068	0.290	0.286	-0.054	0.153	-0.215	0.336
PGA	-3.230	0.870	0.040	-1.311	0.0609	0	-0.096	0.781	0.095	0.143	0.152	-0.073	0.335	-0.251	0.353
PGV	-1.455	1.071	0.052	-1.072	0.037	-0.005	-0.047	0.863	0.091	0.243	0.251	-0.123	0.231	-0.241	0.357

magnitude and r_{seis} represents the closest distance to seismogenic rupture. According to Campbell and Bozorgnia (2003), the nonlinear site effects inherent in large ground motion on firm soil do not permit a significant increase in ground motion over the hanging wall effect. Moreover, the hanging wall effect dies out for $r_{\text{seis}} < 8 \text{ km}$, or sooner if $r_{jb} \ge 5 \text{ km}$ or $\delta \ge 70^{\circ}$. Hence, in the present scenario, the hanging wall effect is not considered and the prediction equation has been modified after Campbell and Bozorgnia (2003) to generate a NGA model suitable for the entire West Bengal region. The obtained regression coefficients for the three main tectonic provinces using this NGA model (Eq. 6) are given in Table 6. For establishing further efficacy of the analyses performed in the present study, we generated a comparative plot of the predicted, recorded and simulated PGA values for the three aforesaid dominant seismogenic sources, as shown in Fig. 9, which exhibits a satisfactory agreement amongst all the three values. The regression models for PGA and PSA have been validated using an analysis of residuals:

residual =
$$\log_{10}\left(\frac{Y_{\rm os}}{Y_{\rm p}}\right)$$
, (7)

where Y_{os} is the recorded and simulated PGA/PSA and Y_p is the estimated PGA/PSA from the empirical attenuation relation. Residual plots for PGA as a function of fault distance for the three seismogenic sources are shown in Fig. 10. It is evident that the residuals have a zero mean and are uncorrelated with respect to fault distance. A residual analysis of PGA and PSA of the NGA models predicted in the present investigation is unbiased with respect to both the magnitude and fault distance, and hence can be used along with other existing prediction equations available for the region as well as those available for a similar tectonic setup in a logic tree framework for seismic hazard assessment of Kolkata.

	Select	ed groun	nd motion	predictio	on equa	ations (GM	PEs)			
Tectonic pro	ovince	Refere	nce and co	ode in pa	renthe	ses				
East-central	Himalaya	Campb (2006) (TORC	Campbell and Bozorgnia (2003) (CB 03), Atkinson and Boore (2006) (BA 06), Sharma et al. (2009) (SHAR 09), Toro (2002) (TORO 02), Campbell and Bozorgnia (2008) (CB 08)							
Bengal Basi	n	Campb (2006) (2002)	Campbell and Bozorgnia (2003) (CB 03), Atkinson and Boore (2006) (BA 06), Raghukanth and Iyengar (2007) (RI 07), Toro (2002) (TORO 02)							
Northeast In	ıdia	Campt (2006) crust), Bozorg	ell and Bo (BA 06), I Youngs et gnia (2008	ozorgnia Nath et a al. (199) (CB 08	(2003 al. (20) 7) (YC 3)) (CB 03), 1 12) (NATH DUNGS 97)	Atkinson 12) (sha), Campl	n and Boore allow and deep bell and		
0.7	Bengal Basín	+ s + P • F	Simulated Predicted (GMPE) Recorded/Observed	0.9		Northeast India		 Simulated Predicted(GMPE) Recorded/Observed 		
0.5				0.8 © 0.7	K.					
0.4				9.0 eleration						
0.3				00 0.5 Puno 0.4						
0.2				E0 ak						
0.1				0.2 0.1						
0 50 100	150 200 Fault Distanc	250 30 e (km)	0 350 40	ot ol	50	100 150 Fault	200 250 Distance (km)	300 350		
		0.9	East Centr	ral Himalaya	•	Simulated Predicted (GMPE) Recorded/Observed				
		0) 0.7 5					-			
		Ccelerat Accelerat					-			
		Pund					-			
		0.3 - Co di		*****	+		-			
		0.1								

Table 7. Selected ground motion prediction equations for PSHA in the present study.

Figure 9. The blue dots represent the simulated PGA, the red dots represent the estimated PGA from the prediction equation, and the green dots represent the recorded PGA for three dominant seismic sources.

50 200 250 Fault Distance (km)

We adopted a total of 14 Ground Motion Prediction Equations (GMPEs) as given in Table 7 for hazard computations in the region, whereas the coefficients for the additional 8 GM-PEs have been used as reported in the original publications. The GMPEs are selected according to the assessment criterion of Nath and Thingbaijam (2011b). Appropriate GMPE weight has been assigned based on the seismotectonism and geology of the province, with maximum weight being assigned to the regressed NGAs developed as a part of the present study.

3.5 PSHA computational model

A synoptic probabilistic seismic hazard model of Kolkata is generated at engineering bedrock ($V_s^{30} \sim 760 \text{ m s}^{-1}$). The basic methodology of probabilistic seismic hazard analysis involves computation of ground motion thresholds that are exceeded with a mean return period of, for example, 475 years/2475 years at a particular site of interest. The effects of all the earthquakes of different sizes occurring at various locations for all the seismogenic sources at various



Figure 10. Residuals of PGA with respect to fault distance for the Bengal Basin, Northeast India and east-central Himalaya seismogenic sources.

probabilities of occurrences are integrated into one curve that shows the probability of exceeding different levels of a ground motion parameter at the site during a specified time period. The computational formulation as developed by Cornell (1968), Esteva (1970) and McGuire (1976) is given as

$$\nu(a > A) = \sum_{i} \int_{m} \int_{r} \int_{\delta} \lambda_{i} P(a > A | m, r, \delta) f_{m}(m) f_{r}(r)$$
$$f_{\Delta}(\delta) dm dr d\delta, \qquad (8)$$

where ν (a > A) is the annual frequency of exceedance of ground motion amplitude A, λ is the annual activity rate for the *i*th seismogenic source for a threshold magnitude, and function P yields probability of the ground motion parameter a exceeding A for a given magnitude m at source-to-site distance r. The corresponding probability density functions are represented by $f_m(m)$, $f_r(r)$ and $f_{\Delta}(\delta)$. The probability density function for the magnitudes is generally derived from the GR relation (Gutenberg and Richter, 1944). The present implementation makes use of the density function given by Bender (1983) as

$$f_{\rm m}(m) = \frac{\beta \exp\left[-\beta \left(m - m_{\rm min}\right)\right]}{1 - \exp\left[-\beta \left(m_{\rm max} - m_{\rm min}\right)\right]},\tag{9}$$

where $\beta = b \ln(10)$ and *b* refers to the *b* value of GR relation. The distribution is bounded within a minimum magnitude m_{\min} and a maximum magnitude m_{\max} . $f_{\Delta}(\delta)$ is the probability density function (in lognormal distribution) associated with the standard deviation of the residuals in GMPE. $f_{\Delta}(\delta)$ also defines the epsilon (ε) standard deviations of the ground motion from its median value through the prediction equation. The GMPEs are described as relationships between a ground motion parameter "*Y*" (i.e., PGA, PGV or PSA at different periods), an earthquake magnitude "*M*", a source-tosite distance "R", and an uncertainty or residual (δ) through

$$\ln(Y) = f(M, R) + \delta. \tag{10}$$

The ground motion uncertainty δ is modeled as a normal distribution with a standard deviation, $\sigma_{\ln, y}$. Hence the above equation can be expressed as

$$\ln(Y) = f(M, R) + \varepsilon \sigma_{\ln, y}, \tag{11}$$

where ε is the normalized residual, which is also a normal distribution with a constant standard deviation, and $\sigma_{\ln, y}$ is the standard deviation associated with the GMPE. In the PSHA formulation as given in Eq. (8), standard deviation denoted by δ is basically the residual associated with each GMPE. The probability density function $f_{\Delta}(\delta)$ follows a lognormal distribution that can be expressed as

$$f_{\Delta}(\delta) = \frac{1}{\sqrt{2\pi}\sigma_{\ln,y}} \exp\left[-\frac{(\ln y - \ln y_{\rm mr})^2}{2\sigma_{\ln,y}^2}\right],\tag{12}$$

where $\ln y_{\rm mr} = f(M, R)$ is the functional form of the prediction model in terms of magnitude and distance. Ground motion variability constitutes aleatory uncertainty intrinsic to the definition of GMPEs and consequently to that of PSHA. Computations based only on the median ground motions ignoring the associated variability are known to underestimate the hazards, especially at low annual frequencies of exceedance (Bommer and Abrahamson, 2006). The value of $\varepsilon_{\rm max}$ ranging from 2 to 4 has often been employed in probabilistic seismic hazard estimations (e.g., Marin et al., 2004). However, truncation at $\varepsilon_{\rm max} < 3$ has been suggested to be inappropriate (e.g., Bommer and Abrahamson, 2006). In the present study, truncation at $\varepsilon_{\rm max} = 4$ is considered to be pragmatic and implemented uniformly for all the GMPEs. The distance probability function $f_r(r)$ represents the probability of occurrence of a given earthquake at a distance in the range (r, r + dr). In the present analysis, instead of considering probability function for the source-to-site distance distinctively, we have implemented gridded-point locations within the source zone, where finite-fault ruptures are constructed based on the rupture dimensions estimated for each magnitude.

The hazard computation is performed using a Poisson occurrence model given by Eq. (13) below on grid points covering the entire study region at a spacing of 0.005° .

$$P = 1 - e^{-\lambda t},\tag{13}$$

where λ is the rate of occurrence of the event (annual activity rate) and *t* is the time period of exceedance. With this, the annual rate of exceedance for an event with 10 % probability in 50 years is given by

$$\lambda = -[\ln(1 - 0.1)/50] = 0.0021/\text{yr}.$$
(14)

A logic tree framework depicted in Fig. 11 is employed in the computation at each site to incorporate multiple models in the source considerations, GMPEs and seismicity parameters. In the present study, the seismogenic sources, i.e., tectonic and layered polygonal sources, are assigned weights equal to 0.6 and 0.4, respectively. The three derivatives for the threshold magnitude of M_w 3.5, 4.5 and 5.5 are assigned weights equal to 0.20, 0.35 and 0.45, respectively. The seismicity model parameters, namely the annual rate of earthquakes $(\lambda(m))$ and β pairs, are assigned weights of 0.36, while the respective ± 1 standard deviation receives weight equal to 0.32. Similar weight distribution is assigned for $m_{\rm max}$. The weights are allocated following the statistical rationale suggested by Grünthal and Wahlström (2006). In order to define appropriate weights, the percentage of probability mass in a normal distribution for the mean value and ± 1 standard deviation is considered corresponding to the center of two equal halves. Figure 12 depicts seismic hazard curves for selected landmarks of Kolkata corresponding to PGA, PSA at 0.2 and 1 s at engineering bedrock. Both the 2 and 10% probability of exceedance levels in 50 years have been marked with horizontal dotted lines in the diagram. The spatial distribution of PGA in Kolkata presented in Fig. 13 for 10% probability of exceedance in 50 years at engineering bedrock shows a variation of 0.124 to 0.178 g. The regions of Rajarhat, Newtown and Salt Lake are seen to have a higher hazard level, while a moderate hazard level is associated with the regions of Park Circus, Dhakuria, Kasba, Barabazar and Dharmatala. A low hazard level of around 0.12-0.13 g is observed in the southwestern part of Kolkata, encompassing areas of Behala, Metiabruz and Mahestala.

4 Surface consistent and site-specific hazard attributions

Site-specific hazard attribution necessitates (i) precise geomorphologic definition of the terrain, including the lithological characterization and sediment classification; (ii) in-depth surface geophysical and downhole geotechnical investigations for shallow shear wave velocity estimation and site classification following the National Earthquake Hazard Reduction Program (NEHRP), USGS and FEMA nomenclature; (iii) a site response analysis and probabilistic seismic hazard assessment at a surface-consistent level propagating the bedrock ground motion with 10% probability of exceedance in 50 years through a 1-D sediment column and performing equivalent linear analysis of an otherwise nonlinear system through DEEPSOIL (Hashash, 2009); and (iv) assessment of liquefaction potential index from in situ borehole geotechnical data and N value/shear wave velocity profiles. To date, no evidence of any ground rupture in Kolkata due to the historical earthquakes affecting the terrain has been reported. In addition, following the earthquake ground effect postulations of Silva et al. (2008) and Reicherter et al. (2009), there is only a very remote possibility of the occurrence of a coseismic surface-rupture hazard in the city during the time span used in the present study with the probabilistic framework for 10% probability of exceedance in 50 years. Nonetheless, the utility of ground-rupture hazard mapping from historical/paleoseismic evidence and its integration with all the geological and seismological themes in the holistic seismic microzonation protocol is well conceived in the microzonation framework used in the present study.

4.1 Geomorphology of Kolkata

Kolkata overlies the Bengal Basin, which is formed by the Ganga-Brahmaputra river system and is also one of the largest deltas in the world. The basin consists of fluviomarine sediment of a pericratonic Tertiary basin. The surficial geology in and around Kolkata is rather uniform, and is characterized by the presence of 10-15 m of silty clay, below which relatively coarser sediments occur that consist of either silt or clay with kunkar or sand (Vaccari et al., 2011). Geomorphologically, it is a typical deltaic flat land with surface elevation ranging between 5.5 and 9.5 m a.m.s.l sloping mostly southward. Deltaic plains, interdistributary marshes, paleochannels, younger levees adjacent to the River Hoogly and older levees on both the sides of the old Adi Ganga are the important geomorphological units (Roy et al., 2012), as depicted in Fig. 14. Youd and Perkins (1978) classified the geomorphological units with affinity to high, moderate and low susceptibility to liquefaction, with the maximum likelihood in deltas, river channels and uncompacted artificial fills, whereas Ganapathy and Rajawat (2012) asserted abandoned river channel to be "likely" liquefiable. Thus, in Kolkata, all



Figure 11. A logic tree formulation for probabilistic seismic hazard computation at each node of the region gridded at $0.005^{\circ} \times 0.005^{\circ}$ intervals.



Figure 12. Annual frequency of exceedance vs. ground acceleration plots usually termed as seismic hazard curves for a few selected locations in Kolkata for peak and spectral accelerations at 0.2 and 1 s for a uniform firm rock site condition (compliant with $V_s^{30} \sim 760 \,\mathrm{m \, s^{-1}}$). Both the 10 and 2 % probabilities of exceedance in 50 years have been marked with horizontal dotted lines in each plot.

geomorphological units have potential liquefaction susceptibility during strong seismic shaking.

4.2 Sediment classification in Kolkata

Based on the proportions of sand, silt and clay-sized particles obtained from 350 boreholes in Kolkata as shown in Fig. 14, the bottom sediments have been classified according to Shepard's diagram (O'Malley, 2007), which is an example of a ternary diagram – a device for graphing a three-component system summing to 100 % (Shepard, 1954). In this case, the

components are the percentages of sand, silt and clay comprising a sediment sample. Each sediment sample plots as a point within or along the sides of the diagram, depending on its specific grain size composition. Using the borehole lithologs and the Shepard classification system, shallow sediment classification of Kolkata is performed that exhibits highly liquefiable sediments (Updike et al., 1988; Yamamuro and Hade, 1999), viz. sand, sand-silt-clay mixture, sandy clay, silty sand and silty clay up to about $\sim 5 \text{ m}$ as shown in Fig. 15.



Figure 13. Spatial distribution of PGA in Kolkata with 10% probability of exceedance in 50 years at bedrock.



Figure 14. Geomorphology map of Kolkata highlighting the borehole locations where detailed geotechnical investigations have been carried out (total of 350 locations) for the purpose of site characterization.

4.3 Shear wave velocity estimation and NEHRP site classification in Kolkata

Effective shear wave velocity (V_s^{30}) for a 30 m soil column is one of the most important parameters used in the understanding of geotechnical earthquake engineering problems. One of the easiest ways to estimate V_s^{30} is to use an empirical relationship between Standard Penetration Test (SPT) "N" values and shear wave velocities. Several empirical relations between SPT "N" values and lithology are available (Nath and Thingbaijam, 2011a). A nonlinear regression be-



Figure 15. Top \sim 5 m sediment classification from geotechnical parameters obtained from 350 boreholes in Kolkata.

tween the corrected SPT "N" values and empirically derived average shear wave velocities of clay, sand and all types of soil for the city of Kolkata calibrated using in situ downhole shear wave velocity at 350 borehole locations yield the following relations:

$$V_{\rm s} = 97.86 \left(N_{60} \right)^{0.308} \quad \text{clay} \tag{15}$$

$$V_{\rm s} = 82.59 \, (N_{60})^{0.358} \quad \text{sand} \tag{16}$$

$$V_{\rm s} = 87.54 \left(N_{60} \right)^{0.345}$$
 all soil. (17)

The horizontal-to-vertical response curves obtained from microtremor survey reflect the geology and soil properties of the test site. Ambient noise data acquired using SYSCOM MR2000 at 1200 locations in the city have been processed using View2002 and GEOPSY software (www.geopsy.org) and inverted to authenticate the geotechnically derived 1-D shear wave velocity model by comparing the theoretical horizontal-to-vertical spectral ratio (HVSR) to the observed ones. The Matlab code ModelHVSR developed by Herak (2008) has been used to invert HVSR curves for the estimation of 1-D V_s profiles at each investigation site. In situ downhole shear wave velocity profiling eventually benchmarks the V_s^{30} derived from surface geophysical techniques and SPT "N" values. Figure 16 depicts a few microtremor records, the borehole lithology, the 1-D shear wave velocity from the SPT "N" value, and V_s from in situ downhole shear wave seismic survey, as well as that obtained by HVSR inversion.

Site classification of Kolkata performed based on NEHRP, USGS and FEMA regulations places the city in D1 (V_s^{30} : 180–240 m s⁻¹), D2 (V_s^{30} : 240–300 m s⁻¹), D3 (V_s^{30} : 300–360 m s⁻¹) and E ($V_s^{30} < 180 \text{ m s}^{-1}$) classes, as shown in Fig. 17. From the diagram it is evident that the low-velocity site class E ($V_s^{30} < 180 \text{ m s}^{-1}$) is related to alluvial debris



Figure 16. Representative ambient noise survey as "Recorded Signal", lithostratigraphy as "Lithology", and comparative 1-D shear wave velocity (V_s) models derived from empirical SPT formulations, HVSR inversion and in situ downhole shear wave seismic survey as $V_s(m s^{-1})$ at Rajarhat (top left panel), Salt Lake (top right panel) and Park Circus (bottom panel) in Kolkata for calibration at 350 borehole locations and 1200 ambient noise survey sites with 500 m spacing.



Figure 17. Site classification of Kolkata following NEHRP nomenclature. Site classes D1, D2, D3 and E have been identified in the terrain.

thick horizons with clayey silt. Site class D1 is identified in some parts of Mukundapur, Salt Lake, Narkeldanga, Sealdah and the southeastern part of the city, all of those being predominantly underlain by silty clay and sandy clay. Most of the areas classified as site class D2 are composed of deep stiff soil with varied sediment deposits of clay, sand and clayey sand. In contrast, site class D3 comprises very dense soil and soft rock, such as boulders, cobbles or near-surface fractured rocks.

4.4 Site response and surface consistent probabilistic PGA/PSA

The amplification of ground motion over soft sediments occurs fundamentally due to the impedance contrast between sediments and the underlying bedrock resulting in the trapping of seismic waves. Geotechnical parameters such as soil type, thickness of the layer, unit weight, Atterberg limits and shear wave velocity of the material have been used for the estimation of site effects by propagating the bedrock motion to the ground surface through a 1-D soil column using equivalent linear analysis of a nonlinear system. A 5 % damping is used for all soil types while synthesizing the subsoil response for earthquake engineering purposes. The input time series obtained by inverse Fourier transform of the pseudo-spectral acceleration computed for 10% probability of exceedance in 50 years at engineering bedrock is used to model the nonlinear behavior of a 30 m soil column at 350 borehole locations with a precise 1-D V_s profile in order to generate site amplification and hence compute surface consistent PGA and PSA at each location. Figure 18 depicts the generic site amplification spectra for all the site classes in the city. The PGA



Figure 18. Generic site amplification curves depicting spectral ground motion amplification within a frequency band encompassing the fundamental and higher order modes for all the site classes defined in Fig. 17 (blue curves represent a composite of site amplification curves at all borehole locations in a site class (E, D1, D2, D3), while the red curve represents the average site amplification curve for each site class).



Figure 19. Spatial distribution of PGA in Kolkata with 10% probability of exceedance in 50 years at surface placing the city in the distinct updated BIS zones IV and V with probable zone factors of 0.240 and 0.253 and MM intensities of VI and VII, respectively.

for 10% probability of exceedance in 50 years computed at the surface and presented in Fig. 19 exhibits a variation from 0.176 to 0.253 g with probable zone factors (PGA thresholds for each of these zones) of 0.240 and 0.253 in two updated distinct BIS-compliant zones – IV and V. The probabilistic surface-consistent PGA projects a seismic intensity following Wald et al. (1999) to vary between MM VI and VII in the entire city, where the potential damage distribution varies from light to moderate. The 5% damped design response spectra generated using PSA at 1.0 and 0.2 s with 10% probability of exceedance in 50 years following the International Building Code (IBC, 2009) for selected locations/landmarks in Kolkata at both the bedrock and the surface presented in Fig. 20 exhibit an increase in the design values for updating of the existing building code and imply a probable escalation in the urbanization cost of the city.

4.5 Ground water table and soil liquefaction assessment

Ground water table depth is among the major factors affecting the stability of soil. The main water-bearing formation of the region is Quaternary alluvium consisting of sands of various grades interbedded with silt and clay. The high groundwater levels create favorable conditions for the occurrence of liquefaction during an earthquake (Yilmaz and Bagci, 2006). In the present study, water table depths obtained from 350 boreholes calibrated with a post-monsoon piezometer survey are used to generate a water table depth variation map of the city, as shown in Fig. 21 depicting water table level ranging between 0.1 and 7.7 m. Thus the sediment properties in terms of lithology, age of the deposit, grain size, shape and deposit compactness, along with geomorphology, hydrogeological conditions (i.e., groundwater level) and uncompacted artificial fills, constitute favorable conditions for ground motion amplification in the city as well as causing it to be prone to imminent liquefaction hazard (Updike et al., 1988; Yamamuro and Hade, 1999; Youd and Perkins, 1978; Yilmaz and Bagci, 2006).



Figure 20. Design response spectra (5 % damped) generated using PSA at 1 and 0.2 s with 10 % probability of exceedance in 50 years for selected locations/landmarks in Kolkata at both engineering bedrock and surface levels. An increase in the design values due to modification in the building code can be observed, which implies an escalation in the probable cost of urbanization.



Figure 21. Post-monsoon water table level in Kolkata derived from both the piezometric survey and dug well information.

Soil liquefaction is a secondary phenomenon associated with an earthquake which plays a major role in increasing the seismic risk of a province. It is generally observed in cohesionless saturated soil when, because of dynamic loading and increase in pore water pressure, the shear strength of the soil decreases to zero. The liquefaction potential is conventionally expressed as the factor of safety (FOS), which indicates the site's ability to resist liquefaction and assumes a value greater or smaller than 1 according to whether the site is considered to be safe or not. The FOS does not give any information about the severity of liquefaction, which can be quantified by the probability of liquefaction $(P_{\rm L})$. Also, in order to consider the hazard of liquefaction for the entire soil column, a liquefaction potential index (LPI) for a depth of up to 20 m is calculated. A holistic framework for soil liquefaction assessment based on Seed and Idriss (1971), Youd et al. (2001), Idriss and Boulanger (2006) and Iwasaki et al. (1982) formulations, depicted in Fig. 22, is used to generate a deterministic liquefaction scenario (Juang and Li, 2007) in the city that corresponds to the surface PGA distribution with 10% probability of exceedance in 50 years with the moment magnitude for each PGA derived through a de-aggregation process. To generate the liquefaction susceptibility map of the city of Kolkata, an LPI distribution map is prepared in a GIS platform as shown in Fig. 23. The LPI values have been categorized according to Iwasaki et al. (1982) as nonliquefiable (LPI = 0), low (0 < LPI < 5), high (5 < LPI < 15) and severe (LPI > 15). Large patches of zones with severe liquefaction potential have been identified in the northeastern and eastern regions of the city, encompassing Salt Lake, Rajarhat, Newtown and Nicco Park. The Bihar-Nepal earthquake of $M_{\rm w}$ 8.1 caused considerable damage to life and property (GSI, 1939): in the form of cracks in the buildings with subsidence and collapse as reported, presumably due to the effect of soil liquefaction triggered by the intensifying



Figure 22. A framework for soil liquefaction susceptibility assessment.

ground motion coupled with the shallow ground water table and the thick alluvial-filled Bengal Basin. The reported liquefaction-triggered damage due to the impact of the 1934 Bihar–Nepal earthquake is seen to occur mostly in the zones of high liquefaction susceptibility.

5 Multicriteria seismic hazard microzonation of Kolkata

Multicriteria seismic hazard microzonation has been carried out previously in other Indian regions – Guwahati (Nath et al., 2007), the Sikkim Himalaya (Nath, 2004; Pal et al., 2008), Delhi (Mohanty et al., 2007), Bangalore (Anbazhagan et al., 2010) and Chennai (Ganapathy, 2011). The hazard mapping is achieved through use of a multicriteria-based decision support tool formulated by Saaty (1980) referred to as an analytical hierarchal process (AHP). AHP uses hierarchical structures to quantify relative priorities for a given set of elements on a ratio scale, which is based on the discernment of the user. From the judgments between two particular elements, a pairwise comparison matrix is constructed on a scale of integer factors 1-6, indicating an increasing importance of the elements. The ratio between such factors defines the relative importance of one element to another (Anbazhagan et al., 2010). The pairwise comparison matrix that has been prepared is used to derive the individual normalized weights of each element. The weights of each criterion are calculated by summing up all the ratios in the relative matrix column and then dividing each element in the matrix by its column total to generate a normalized pairwise matrix, and then the weighted matrix is generated by dividing the sum of the normalized row by the number of criteria used. The consistency index (CI) is an important feature of the AHP that enables the rating inconsistencies to be determined (Saaty, 2000). The consistency ratio (CR), which is a comparison between the CI and the random index (RI) obtained using the AHP method, is < 0.1. Saaty (1980) developed an average RI for different matrix orders. The weights are normalized to 1 and



Figure 23. Liquefaction potential index (LPI) distribution in Kolkata. An LPI > 15 indicates a severe liquefaction hazard condition, an LPI between 5 and 15 indicates a tendency to liquefy, and LPI around 5 depicts a non-liquefiable condition.

can be used in deriving the weighted sums of rating for each region of polygons of the mapped layers. Within each theme, the values vary significantly and are hence reclassified into various ranges or types collectively referred to as a feature of a thematic layer. The associated feature attributes are scored within the theme. The initial integral scoring, X_j , is normalized to ensure that no layer exerts an influence beyond its determined weight using the following relation (Nath, 2004):

$$X_j = \frac{R_j - R_{\min}}{R_{\max} - R_{\min}},\tag{18}$$

where R_j is the row score and R_{max} and R_{min} are the maximum and minimum scores of a particular layer.

The hazard themes pertaining to the study region which are materialized as thematic layers on the GIS platform are (i) peak ground acceleration (PGA) at the surface, (ii) the liquefaction potential index (LPI), (iii) NEHRP soil site class (SC), (iv) sediment class (SEC), (v) geomorphology (GM), and (vi) ground water table (GWT). Each thematic layer has been georectified on a Universal Transverse Mercator projection system. The corresponding weights, the ranks of each thematic layer, and the theme attribute score thereof are assigned values according to the apparent contribution of the layers to the overall seismic hazard. For example, in the geomorphology theme, with regard to severity to liquefaction, we have assigned a ranking of "high" to swampy land, water bodies and river channels and "low" to paleochannel (Youd and Perkins, 1978; Ganapathy and Rajawat, 2012). In the sediment class, considering the effect on the FOS, higher rank is assigned to sand, clayey sand and silty sand, whereas



Figure 24. Probabilistic seismic hazard microzonation map of Kolkata. Four broad divisions have been identified with the hazard index (HI), defined as $0.68 < \text{HI} \le 0.88$, indicating severe hazard conditions, in the areas of Salt Lake and New Town; $0.47 < \text{HI} \le 0.68$, indicating high hazard conditions, mostly in the areas of Rajarhat and Mahishbathan of the expanding city; $0.27 < \text{HI} \le 0.47$, indicating moderate hazard conditions, in the most part of south and west Kolkata; and HI < 0.27, indicating a completely hazard-free regime. The damage distribution due to the 1934 Bihar–Nepal earthquake of $M_W 8.1$ is reported (GSI, 1939) to have induced an MM intensity order of VI–VII in Kolkata, mostly identified in the moderate to high hazard zones (marked with a star). The detailed seismological and geohazard attributions for each division are presented in Table 10.

the lowest rank is assigned to clay (Youd and Perkins, 1978; Yamamuro and Hade, 1999). Table 8 presents the pairwise comparison matrix for the respective themes and their normalized weights. The normalized ranks assigned to the features of each theme are listed in Table 9. All the georeferenced thematic layers are integrated step by step using the aggregation method in GIS to generate a seismic hazard microzonation map (SHM):

$$SHM = [PGA_wPGA_r + LPI_wLPI_r + SC_wSC_r + SEC_wSEC_r + GM_wGM_r + GWT_wGWT_r] / \sum w, \quad (19)$$

where "w" represents the normalized weight of a theme and "r" is the normalized rank of a feature in the theme. Thereafter, a 3×3 "majority filter" is applied to the SHM as a post-classification filter to reduce the high-frequency variation. SHM is a dimensionless quantity that helps in indexing the seismic hazard and hence the microzonation of a region into a qualitative scheme such as "low", "moderate", "high" and "severe". The probabilistic seismic hazard microzonation map of Kolkata shown in Fig. 24 depicts four broad divisions with a hazard index (HI) defined as $0.68 < \text{HI} \le 0.88$ for "severe" hazard conditions, in Salt Lake and New Town

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Themes	PGA	LPI	SC	SEC	GM	GWT	Weight
Peak ground acceleration (PGA)	1	6/5	6/4	6/3	6/2	6/1	0.2864
Liquefaction potential index (LPI)	5/6	1	5/4	5/3	5/2	5/1	0.2381
Site class (SC)	4/6	4/5	1	4/3	4/2	4/1	0.1905
Sediment class (SEC)	3/6	3/5	3/4	1	3/2	3/1	0.1429
Geomorphology (GM)	2/6	2/5	2/4	2/3	1	2//1	0.0952
Ground water table (GWT)	1/6	1/5	1/4	1/3	1/2	1/1	0.0476

Table 8. Pair-wise comparison matrix of themes used for seismic hazard microzonation and their normalized weights.

Table 9.	Normalized	weights and	l ranks assigned	to resp	ective themes	s and the f	eatures the	ereof for t	thematic in	ntegration.
Table 7.	Normanized	weights and	i ranks assigned	i to resp	cenve memer	s and the r	catures the	1001 101	incinatic n	negration.

Theme	Weight	Attributes	Rating	Normalized rating
Peak ground motion (PGA)	0.2864	0.176–0.189 (g)	1	0.00
-		0.190–0.202	2	0.20
		0.202–0.215	3	0.40
		0.216-0.228	4	0.60
		0.229-0.240	5	0.80
		0.241-0.253	6	1.00
Liquefaction potential index	0.2381	0 (non-liquefiable)	1	0.00
(LPI)		0.1–5.0 (low)	2	0.33
		5.1–15.0 (high)	3	0.66
		> 15.0 (severe)	4	1.00
Site class (SC)	0.1905	D3 $(V_s^{30} 300 - 358 \mathrm{m s^{-1}})$	1	0.00
		$D2 (V_s^{30} 240 - 300 \mathrm{m s^{-1}})$	2	0.33
		D1 $(V_{s}^{30} 180 - 240 \mathrm{m s^{-1}})$	3	0.66
		$E(V_s^{30} 119 - 180 \mathrm{m s^{-1}})$	4	1.00
Sediment class (SEC)	0.1429	Clay	1	0.00
		Gravelly sediment	2	0.25
		Silty clay, silt, clayey silt	3	0.50
		Sandy clay, sandy-silty clay, sandy silt	4	0.75
		Sand, clayey sand, silty sand	5	1.00
Geomorphology (GM)	0.0952	Paleochannel	1	0.00
		Older Levee	2	0.25
		Interdistributary marsh	3	0.50
		Deltaic plains, younger levee	4	0.75
		Water bodies, canal, river, swampy land	5	1.00
Ground water table (GWT)	0.0476	< 1.0 (b.g.l. in m)	8	1.00
		1.0-2.0	7	0.86
		2.1-3.0	6	0.71
		3.1-4.0	5	0.52
		4.1–5.0	4	0.42
		5.1-6.0	3	0.29
		6.1–7.0	2	0.14
		7.1–7.7	1	0.00

Location	Hazard level	PGA(g)	P_{F}	LPI	SC/V_s^{30}	<i>I</i> _{MM}	SA
Behala	Moderate	0.196	1.41	3.30 (low)	D2/272.9	VII	3.36
Rajdanga	Moderate	0.214	1.47	12.07 (high)	D2/258.0	VII	3.68
Shyambazar	High	0.217	2.38	13.50 (high)	D2/258.0	VII	3.09
Dum Dum	Moderate	0.228	1.38	4.71 (low)	D2/269.2	VII	3.42
Barahanagar	High	0.223	1.54	11.45 (high)	D2/274.4	VII	3.36
Bali	Moderate	0.221	1.51	4.85 (low)	D2/274.4	VII	3.47
Kona	Moderate	0.213	1.44	9.39 (high)	D2/280.1	VII	3.86
Maheshtala	Moderate	0.196	1.38	3.60 (low)	D2/258.0	VII	3.42
Alipur	Moderate	0.204	1.73	10.11 (high)	D2/253.4	VII	3.73
Metiaburuz	Moderate	0.195	1.44	4.60 (low)	D2/258.0	VII	3.63
Sura	Low	0.178	1.63	0 (non-liquefiable)	D2/264.5	VI	3.64
Jadabpur	Moderate	0.210	1.51	13.50 (high)	D2/258.0	VII	3.90
Kalighat	Moderate	0.208	1.35	4.16 (low)	D2/258.0	VII	3.47
Deora	High	0.219	1.44	21.16 (severe)	D1/215.4	VII	2.51
Dhakuria	Moderate	0.213	0.95	14.35 (high)	D2/258.0	VII	3.29
Thakurpukur	Moderate	0.199	1.53	3.76 (low)	D2/267.0	VII	3.85
Satghara	Moderate	0.179	1.41	4.03 (low)	D2/248.6	VI	3.09
Belur	High	0.219	1.97	11.76 (high)	D2/280.1	VI	3.29
Bakdoba	High	0.219	1.44	12.67 (high)	D2/258.0	VII	2.86
Paikpara	Moderate	0.223	1.20	12.07 (high)	D2/270.3	VII	3.23
Park Street	Severe	0.216	1.35	24.36 (severe)	E/174.3	VII	3.80
Salt Lake	Severe	0.236	1.17	28.09 (severe)	E/163.1	VII	4.22
New Town	Severe	0.228	1.20	26.50 (severe)	D2/267.3	VII	3.73
Rajarhat	High	0.230	0.95	34.28 (severe)	D2/244.6	VII	3.23

Table 10. Microzonation hazard level with corresponding geophysical and geotechnical attributes at selected locations in Kolkata.

 $P_{\rm F}$: predominant frequency (Hz); LPI: liquefaction potential index; SC/ V_s^{30} : NEHRP site class/effective shear wave velocity (m s⁻¹) of ~30 m soil column; $I_{\rm MM}$: predicted modified Mercalli intensity (Richter, 1958); $S_{\rm A}$: site amplification.

areas; $0.47 < \text{HI} \le 0.68$ for "high" hazard conditions, mostly in the areas of Rajarhat and Mahishbathan of the expanding city; and $0.27 < \text{HI} \le 0.47$ for "moderate" hazard conditions, in most parts of south and west Kolkata. The damage distributions due to the great 1934 Bihar–Nepal earthquake are mostly identified in the moderate to high hazard zone (marked with a star). The detailed seismological and geohazard attributions for each division are presented in Table 10.

6 Conclusions

Seismic hazard microzonation has emerged as an important issue in high-risk urban centers across the globe and is considered an integral part of earthquake-related disaster mitigation practices. A new perspective of multicriteria holistic seismic hazard assessment has been presented here for Kolkata based on an enriched homogeneous earthquake catalog; an upgraded tectonic database; seismotectonic implications; and geological, geotechnical and geophysical databases, all judiciously integrated in a fuzzy protocol using the sophisticated analytical technology coupled with a geographical information system. It has provided an enhanced seismic scenario in microscale (1:25000) with the development of a set of next-generation attenuation models, NEHRP site characterization with associated generic site response spectra, liquefaction scenarios, and surfaceconsistent PGA distribution with upgraded 5 % damped design response spectra depicting an increase in the design values for an appropriate modification in the building code of the city of Kolkata.

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